

# Package ‘OptHedging’

May 7, 2026

**Type** Package

**Title** Estimation of value and hedging strategy of call and put options.

**Version** 1.0

**Date** 2013-10-10

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**Description** Estimation of value and hedging strategy of call and put options, based on optimal hedging and Monte Carlo method, from Chapter 3 of 'Statistical Methods for Financial Engineering', by Bruno Remillard, CRC Press, (2013).

**License** GPL (>= 2)

**URL** <http://www.r-project.org>, <http://www.brunoremillard.com>

**NeedsCompilation** yes

**Repository** CRAN

**Date/Publication** 2013-10-11 18:00:57

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hedging.iid	<i>Value and optimal hedging strategy for a call or a put option using simulations.</i>
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**Description**

Computes the value of  $C$  and the optimal hedging strategy for a call or a put option on a grid at discrete time intervals, using optimal hedging and simulations. The continuous time model is assumed to be a Levy process, so the periodic returns are i.i.d. Only the returns at the first period need to be simulated. For values of the asset not on the grid, interpolation is needed. The optimal number of shares  $\phi$  to be bought at period  $i-1$ , when the discounted price is  $s$  and the discounted value of the hedging portfolio is  $P$ , is given by  $\phi = (\text{interpol1d}(s,a[i,],\text{minS},\text{maxS})-P*\text{rho})/s$  and the change in the discounted portfolio is  $\phi * s$ . At time 0,  $P = \text{interpol1d}(s,C[1,],\text{minS},\text{maxS})$ .

**Usage**

```
hedging.iid(R,T,K,r,put,n,m,minS,maxS)
```

**Arguments**

R	Simulated iid excess periodic returns for the first period.
T	Maturity of the option (in years).
K	Strike price.
r	Annual (continuous) interest rate.
put	1 (default) for a put and 0 for a call.
n	Number of hedging periods.
m	Number of points of the grid.
minS	Minimum value of the grid.
maxS	Maximum value of the grid.

**Value**

S	Points on the grid at which the option is evaluated.
C	$C(i,j)$ represents the value of the option at period $i-1$ for point $S(j)$ on the grid.
a	$a(i,j)$ represents a value needed to compute the optimal hedging strategy at period $i-1$ for point $S(j)$ on the grid.
phi1	$\phi1(j)$ is the initial number of shares of the asset to be bought if its price is $S(j)$ .
rho	Constant needed for the computation of the hedging strategy.

**Author(s)**

Bruno Remillard

**References**

Chapter 3 of 'Statistical Methods for Financial Engineering, B. Remillard, CRC Press, (2013).

**Examples**

```

# Computes the price of a one-year maturity put option when hedged 5 times
# at regular time intervals.
# The model is assumed to be Black-Scholes with parameters mu and sigma,
# so the excess periodic returns are Gaussian.

n = 5;          # number of hedging periods
m = 5001;      # number of points of the grid
minS = 80.0;   # minimum value of the grid
maxS = 120.0;  # maximum value of the grid
S0 = 100.0;    # initial value
K = 100.0;     # strike price
T = 1.0;       # maturity of the option
r = 0.05;      # annual (continuous) rate
put = 1;       # Put = 0 implies call!

#Simulation of excess periodic returns
sigma = 0.06;  # annual volatility of the returns
mu = 0.09;     # annual mean of the returns
Tp = T/n;
rp = r*Tp;
sigmap = sigma*sqrt(Tp);
Kp = K*exp(-r*T);
mup = mu*Tp-0.5*sigmap*sigmap;

#Gaussian excess returns
N = 10000;     # number of simulated returns
R = mup -rp +sigmap*rnorm(N);

# Computation
out0 = hedging.iid(R,T,K,r,put,n,m,minS,maxS)

C = out0$C;
a = out0$a;
rho = out0$rho;
S = out0$S;
phi1 = out0$phi1;

# Initial value of the option computed from interpolating C
C0 = interpol1d(S0,C[1,],minS,maxS);

# Initial value of the option computed from interpolating C
phi = (interpol1d(S0,a[1,],minS,maxS)-C0*rho)/S0;

par(mfrow=c(2,1))
plot(S,C[1,],type='s',main=bquote('Put values ' * C[0] * ' at time 0 for n' ==.(n) ))

plot(S,phi1,type='s',main=expression('Number of shares ' *phi[1] * ' at start'))

```

```
par(new=TRUE)
C0
phi
```

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interp1d                    *Linear interpolation function.*

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### Description

Interpolates linearly a function given at equally spaced points on the interval [minS,maxS].

### Usage

```
interp1d(x,F0,minS,maxS)
```

### Arguments

x	Point at which the function is interpolated.
minS	Minimum value of the grid.
maxS	Maximum value of the grid.
F0	Value of the function at m equally spaced points on the grid.

### Value

interp1                    Linear interpolation of the function at point x.

### Author(s)

Bruno Remillard

### References

Chapter 3 of 'Statistical Methods for Financial Engineering, B. Remillard, CRC Press, (2013).

### Examples

```
F0 = c(1:10)
minS = 1;
maxS = 10;
out = interp1d(2.45,F0,1,10)
out #since the function is the identity, the answer should be 2.45!
```

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