

Package ‘PoisNonNor’

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Type Package

Title Simultaneous Generation of Count and Continuous Data

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Description Generation of count (assuming Poisson distribution) and continuous data (using Fleishman polynomials) simultaneously. The details of the method are explained in Demirtas et al. (2012) <[DOI:10.1002/sim.5362](https://doi.org/10.1002/sim.5362)>.

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PoisNonNor-package *Simultaneous generation of count and continuous data with Poisson and continuous marginals*

Description

A package for simulating multivariate data with count and continuous variables with a pre-specified correlation matrix and marginal distributions. The count variables are assumed to have Poisson distribution, and continuous variables can take any shape that is allowed by the Fleishman polynomials. This mixed data generation scheme is a combination of the normal to anything principle for the count part, and multivariate continuous data generation mechanism via the Fleishman polynomials.

Details

Package: PoisNonNor
Type: Package
Version: 1.6.3
Date: 2021-03-21
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This package consists of eleven functions.

The functions `bounds.corr.GSC.NN`, `bounds.corr.GSC.NNP`, and `bounds.corr.GSC.PP` return the lower and upper bounds of the pairwise correlation of continuous-continuous, continuous-count, and count-count pairs, respectively. The function `Validate.correlation` validates the specified quantities to avoid obvious correlation matrix specification errors in regarding to the correlation matrix. The functions `intercor.NN`, `intercor.NNP`, and `intercor.PP` give the intermediate normal correlation matrix for continuous-continuous, continuous-count, and count-count combinations, respectively. The function `intercor.all` returns the final intermediate correlation matrix by combining the three parts of correlation together. The function `Param.fleishman` calculates the Fleishman coefficient. The engine function `RNG.P.NN` generates mixed data in accordance with the specified marginal and correlation matrix.

n_1 , n_2 , and $n=n_1+n_2$ stand for the number of count, continuous, and the total number of the variables, respectively. By design, the first n_1 variables are count, and the last n_2 variables are continuous in the generated data matrix.

Author(s)

Hakan Demirtas, Yaru Shi, Rawan Allozi, Ran Gao

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References

- Amatya, A. and Demirtas, H. (2017). PoisNor: An R package for generation of multivariate data with Poisson and normal marginals. *Communications in Statistics–Simulation and Computation*, 46(3), 2241-2253.
- Demirtas, H., Hedeker, D. and Mermelstein, R.J. (2012). Simulation of massive public health data by power polynomials. *Statistics in Medicine*, 31(27), 3337-3346.
- Fleishman A.I. (1978). A method for simulating non-normal distributions. *Psychometrika*, 43(4), 521-532.
- Vale, C.D. and Maurelli, V.A. (1983). Simulating multivariate nonnormal distributions. *Psychometrika*, 48(3), 465-471.

bounds.corr.GSC.NN	<i>Computes the approximate lower and upper bounds of the correlation matrix entries for the continuous pairs</i>
--------------------	---

Description

This function calculates the approximate lower and upper bounds for all continuous pairs by the method in Demirtas and Hedeker (2011).

Usage

```
bounds.corr.GSC.NN(pmat)
```

Arguments

pmat	a n2x4 matrix where each row includes the four coefficients (a,b,c,d) of the Fleishman's system.
------	--

Details

The approximate correlation bounds are computed via the 'Generate, Sort, and Correlate' (GSC) technique, proposed by Demirtas and Hedeker (2011).

Value

Returns a list with two components

min	lower correlation bound matrix
max	upper correlation bound matrix

References

- Demirtas, H. and Hedeker, D. (2011). A practical way for computing approximate lower and upper correlation bounds. *The American Statistician*, 65(2), 104-109.

See Also

[bounds.corr.GSC.NNP](#), [bounds.corr.GSC.PP](#)

Examples

```
## Not run:
pmat = matrix(c(
  0.1148643, 1.0899150, -0.1148643, -0.0356926,
  -0.0488138, 0.9203374, 0.0488138, 0.0251256,
  -0.2107427, 1.0398224, 0.2107427, -0.0293247), nrow=3, byrow=TRUE)

bounds.corr.GSC.NN (pmat)

## End(Not run)
```

bounds.corr.GSC.NNP	<i>Computes the approximate lower and upper bounds of the correlation matrix entries for the continuous-count pairs</i>
---------------------	---

Description

This function calculates the approximate lower and upper bounds for all continuous-count pairs by the method in Demirtas and Hedeker (2011).

Usage

```
bounds.corr.GSC.NNP(lamvec, pmat)
```

Arguments

lamvec	a vector of lambda values of length n1.
pmat	a n2x4 matrix where each row includes the four coefficients (a,b,c,d) of the Fleishman's system.

Details

The approximate correlation bounds are computed via the 'Generate, Sort, and Correlate' (GSC) technique, proposed by Demirtas and Hedeker (2011).

Value

Returns a list with two components, both are matrices of size n1xn2 where n1 and n2 are the number of count and continuous variables, respectively.

min	lower correlation bound matrix
max	upper correlation bound matrix

References

Demirtas, H. and Hedeker, D. (2011). A practical way for computing approximate lower and upper correlation bounds. *The American Statistician*, 65(2), 104-109.

See Also

[bounds.corr.GSC.NN](#), [bounds.corr.GSC.PP](#)

Examples

```
## Not run:
pmat = matrix(c(
  0.1148643, 1.0899150, -0.1148643, -0.0356926,
  -0.0488138, 0.9203374, 0.0488138, 0.0251256,
  -0.2107427, 1.0398224, 0.2107427, -0.0293247), nrow=3, byrow=TRUE)

lamvec = c(0.5,0.7,0.9)

bounds.corr.GSC.NNP(lamvec,pmat)

## End(Not run)
```

bounds.corr.GSC.PP	<i>Computes the approximate lower and upper bounds of the correlation matrix entries for the count pairs</i>
--------------------	--

Description

This function calculates the approximate lower and upper bounds for all count pairs by the method in Demirtas and Hedeker (2011).

Usage

```
bounds.corr.GSC.PP(lamvec)
```

Arguments

lamvec a vector of lambda values of length n1.

Details

The approximate correlation bounds are computed via the 'Generate, Sort, and Correlate' (GSC) technique, proposed by Demirtas and Hedeker (2011).

Value

Returns a list with two components, both are matrices of size n1xn1.

min	lower correlation bound matrix
max	upper correlation bound matrix

References

Demirtas, H. and Hedeker, D. (2011). A practical way for computing approximate lower and upper correlation bounds. *The American Statistician*, 65(2), 104-109.

See Also

[bounds.corr.GSC.NNP](#), [bounds.corr.GSC.PP](#)

Examples

```
## Not run:  
lamvec = c(0.5,0.7,0.9)  
  
bounds.corr.GSC.PP(lamvec)  
  
## End(Not run)
```

fleishman.roots

An auxiliary function that is called by Param.fleishman function

Description

This function sets up formulae that are needed at the subsequent stages.

Usage

```
fleishman.roots(p, r)
```

Arguments

p a vector of length three that contains the Fleishman coefficients.
r a vector of length two that contains skewness and kurtosis values.

References

Fleishman A.I. (1978). A method for simulating non-normal distributions. *Psychometrika*, 43(4), 521-532.

See Also

[Param.fleishman](#)

`intercor.all`*Computes the intermediate correlation matrix*

Description

This function computes the intermediate correlation matrix of the multivariate normal distribution that provides a basis for subsequent transformations.

Usage

```
intercor.all(cmat, pmat, lamvec)
```

Arguments

<code>cmat</code>	a $(n1+n2) \times (n1+n2)$ matrix of specified correlations.
<code>pmat</code>	a $n2 \times 4$ matrix where each row includes the four coefficients (a,b,c,d) of the Fleishman's system.
<code>lamvec</code>	a vector of lambda values of length $n1$.

Details

This function assembles all three submatrices that are pertinent to all continuous-continuous, count-count, and count-continuous pairs.

Value

Returns an intermediate matrix of size $(n1+n2) \times (n1+n2)$.

See Also

[intercor.NN](#), [intercor.NNP](#), [intercor.PP](#)

Examples

```
## Not run:
pmat = matrix(c(
  0.1148643, 1.0899150, -0.1148643, -0.0356926,
 -0.0488138, 0.9203374, 0.0488138, 0.0251256,
 -0.2107427, 1.0398224, 0.2107427, -0.0293247), nrow=3, byrow=TRUE)

lamvec = c(0.5,0.7,0.9)

cmat = matrix(c(
  1.000, 0.352, 0.265, 0.342, 0.090, 0.141,
  0.352, 1.000, 0.121, 0.297, -0.022, 0.177,
  0.265, 0.121, 1.000, 0.294, -0.044, 0.129,
  0.342, 0.297, 0.294, 1.000, 0.100, 0.354,
  0.090, -0.022, -0.044, 0.100, 1.000, 0.386,
```

```

0.141, 0.177, 0.129, 0.354, 0.386, 1.000), nrow=6, byrow=TRUE)

intercor.all(cmat,pmat,lamvec)

## End(Not run)

```

intercor.NN	<i>Computes the subset of the intermediate correlation matrix that is pertinent to the continuous pairs</i>
-------------	---

Description

This function computes the submatrix of the intermediate correlation matrix of the multivariate normal distribution. It is relevant to the continuous part of the data.

Usage

```
intercor.NN(pmat, cmat)
```

Arguments

pmat	a n2x4 matrix where each row includes the four coefficients (a,b,c,d) of the Fleishman's system.
cmat	a n2xn2 matrix of specified correlations for the continuous part.

Details

Fleishman polynomials is a method to generate real-life non-normal distributions of variables by using their first four moments. It is based on the polynomial transformation, $Y = a + bZ + cZ^2 + dZ^3$, where Z follows a standard normal distribution and Y is standardized (zero mean and unit variance).

Normal-Normal correlation for a given continuous pair can be calculated by solving the following equation.

$$r_{Y_1 Y_2} = r_{Z_1 Z_2} (b_1 b_2 + 3b_1 d_2 + 3d_1 b_2 + 9d_1 d_2) + r_{Z_1 Z_2}^2 (2c_1 c_2) + r_{Z_1 Z_2}^3 (6d_1 d_2)$$

Value

Returns an intermediate matrix of size n2xn2

References

Yahav, I. and Shmueli, G. (2012). On generating multivariate poisson data in management science applications. *Applied Stochastic Models in Business and Industry*, 28(1), 91-102.

Examples

```
## Not run:
pmat = matrix(c(
  0.1148643, 1.0899150, -0.1148643, -0.0356926,
  -0.0488138, 0.9203374, 0.0488138, 0.0251256,
  -0.2107427, 1.0398224, 0.2107427, -0.0293247), nrow=3, byrow=TRUE)
cmat = matrix(c(
  1.000, 0.100, 0.354,
  0.100, 1.000, 0.386,
  0.354, 0.386, 1.000), nrow=3, byrow=TRUE)

intercor.NN(pmat, cmat)

## End(Not run)
```

intercor.NNP	<i>Computes the subset of the intermediate correlation matrix that is pertinent to the count-continuous pairs</i>
--------------	---

Description

This function computes the submatrix of the intermediate correlation matrix of the multivariate normal distribution. It is relevant to the count-continuous part of the data.

Usage

```
intercor.NNP(lamvec, cmat, pmat)
```

Arguments

lamvec	a vector of lambda values of length n1.
cmat	a (n1+n2)x(n1+n2) matrix of specified correlations.
pmat	a n2x4 matrix where each row includes the four coefficients (a,b,c,d) of the Fleishman's system.

Details

Calculations are done by combining the methods described in Demirtas, Hedeker and Mermelstein (2012) and Amatya and Demirtas (2017).

Value

Returns an intermediate correlation matrix of size n1 x n2

References

Amatya, A. and Demirtas, H. (2017). PoisNor: An R package for generation of multivariate data with Poisson and normal marginals. *Communications in Statistics–Simulation and Computation*, 46(3), 2241-2253.

Demirtas, H., Hedeker, D. and Mermelstein, R.J. (2012). Simulation of massive public health data by power polynomials. *Statistics in Medicine*, 31(27), 3337-3346.

Examples

```
## Not run:
pmat = matrix(c(
  0.1148643, 1.0899150, -0.1148643, -0.0356926,
  -0.0488138, 0.9203374, 0.0488138, 0.0251256,
  -0.2107427, 1.0398224, 0.2107427, -0.0293247), nrow=3, byrow=TRUE)

lamvec = c(0.5,0.7,0.9)

cmat = matrix(c(
  0.342, 0.090, 0.141,
  0.297, -0.022, 0.177,
  0.294, -0.044, 0.129), nrow=3, byrow=TRUE)

intercor.NNP(lamvec, cmat, pmat)

## End(Not run)
```

intercor.PP	<i>Computes the subset of the intermediate correlation matrix that is pertinent to the count pairs</i>
-------------	--

Description

This function computes the submatrix of the intermediate correlation matrix of the multivariate normal distribution. It is relevant to the count part of the data.

Usage

```
intercor.PP(lamvec, cmat)
```

Arguments

lamvec	a vector of lambda values of length n1.
cmat	a n1xn1 matrix of specified correlations.

Details

Calculations are done by combining the methods described in Yahav and Shumeli (2012) and Amatya and Demirtas (2017).

Value

Returns an intermediate matrix of size $n1 \times n1$.

References

Amatya, A. and Demirtas, H. (2017). PoisNor: An R package for generation of multivariate data with Poisson and normal marginals. *Communications in Statistics–Simulation and Computation*, 46(3), 2241-2253.

Yahav, I. and Shmueli, G. (2012). On generating multivariate poisson data in management science applications. *Applied Stochastic Models in Business and Industry*, 28(1), 91-102.

Examples

```
## Not run:
lamvec = c(0.5,0.7,0.9)
cmat = matrix(c(
  1.000, 0.352, 0.265,
  0.352, 1.000, 0.121,
  0.265, 0.121, 1.000), nrow=3, byrow=TRUE)
intercor.PP(lamvec, cmat)

## End(Not run)
```

Param.fleishman	<i>Calculates the Fleishman coefficients</i>
-----------------	--

Description

This function calculates the four coefficients in the Fleishman system given skewness and kurtosis values.

Usage

```
Param.fleishman(rmat)
```

Arguments

rmat a $n2 \times 2$ matrix that includes skewness and kurtosis values for each continuous variable, where the first and second columns represent skewness and kurtosis, respectively.

Value

Returns a matrix of size $n2 \times 4$ where rows and columns represent variables and coefficients, respectively.

References

Fleishman A.I. (1978). A method for simulating non-normal distributions. *Psychometrika*, 43(4), 521-532.

Examples

```
## Not run:
rmat = matrix(c(-0.5486,-0.2103, 0.3386, 0.9035, 1.0283, 0.9272), byrow=TRUE, ncol=2)
Param.fleishman(rmat)

## End(Not run)
```

RNG.P.NN

Simultaneously generates count and continuous data

Description

This function simulates count and continuous data, where the count part is assumed to follow a multivariate Poisson distribution and the continuous part can take any shape allowed by the Fleishman polynomials. A correlation matrix and marginal features (rate parameter for the count variables, and skewness and kurtosis parameters for the continuous variables must be supplied by users).

Usage

```
RNG.P.NN(lamvec, cmat, rmat, norow, mean.vec, variance.vec)
RNG_P_NN(lamvec, cmat, rmat, norow, mean.vec, variance.vec) #Deprecated
```

Arguments

lamvec	a vector of lambda values of length n1
cmat	specified correlation matrix
rmat	a n2x2 matrix that includes skewness and kurtosis values for each continuous variable
norow	number of rows in the multivariate mixed data
mean.vec	mean vector for continuous variables of length n2
variance.vec	variance vector for continuous variables of length n2

Value

Returns a data matrix of size norowx(n1+n2). By design, the first n1 variables are count, and the last n2 variables are continuous.

References

- Amatya, A. and Demirtas, H. (2017). PoisNor: An R package for generation of multivariate data with Poisson and normal marginals. *Communications in Statistics–Simulation and Computation*, 46(3), 2241-2253.
- Demirtas, H. and Hedeker, D. (2011). A practical way for computing approximate lower and upper correlation bounds. *The American Statistician*, 65(2):104-109.
- Demirtas, H., Hedeker, D. and Mermelstein, R.J. (2012). Simulation of massive public health data by power polynomials. *Statistics in Medicine*, 31(27), 3337-3346.
- Fleishman A.I. (1978). A method for simulating non-normal distributions. *Psychometrika*, 43(4), 521-532.
- Vale, C.D. and Maurelli, V.A. (1983). Simulating multivariate nonnormal distributions. *Psychometrika*, 48(3), 465-471.
- Yahav, I. and Shmueli, G. (2012). On generating multivariate poisson data in management science applications. *Applied Stochastic Models in Business and Industry*, 28(1), 91-102.

Examples

```
## Not run:
lamvec = c(0.5,0.7,0.9)

cmat = matrix(c(
  1.000, 0.352, 0.265, 0.342, 0.090, 0.141,
  0.352, 1.000, 0.121, 0.297, -0.022, 0.177,
  0.265, 0.121, 1.000, 0.294, -0.044, 0.129,
  0.342, 0.297, 0.294, 1.000, 0.100, 0.354,
  0.090, -0.022, -0.044, 0.100, 1.000, 0.386,
  0.141, 0.177, 0.129, 0.354, 0.386, 1.000), nrow=6, byrow=TRUE)

rmat = matrix(c(-0.5486,-0.2103, 0.3386, 0.9035, 1.0283, 0.9272), byrow=TRUE, ncol=2)

norow=10e+5

mean.vec=c(1,0.5,100)
variance.vec=c(1,0.02777778,1000)

P_NN_data = RNG.P.NN(lamvec, cmat, rmat, norow, mean.vec, variance.vec)

## End(Not run)
```

Validate.correlation *Checks the validity of the specified correlation matrix*

Description

The function checks the validity of pairwise correlations. Additionally, it checks positive definiteness, symmetry, and correctness of the dimensions.

Usage

```
Validate.correlation(cmat, pmat = NULL, lamvec = NULL)
```

Arguments

cmat	a nxn matrix of specified correlations for the n-variate distribution.
pmat	a n2x4 matrix where each row includes the four coefficients (a,b,c,d) of the Fleishman's system.
lamvec	a vector of lambda values of length n1.

Details

In addition to being positive definite and symmetric, the values of pairwise correlations in the target correlation matrix must also fall within the limits imposed by the marginal distributions in the system. The function ensures that the supplied correlation matrix is valid for simulation. If a violation occurs, an error message is displayed that identifies the violation. The function returns a logical value TRUE when no such violation occurs.

See Also

[bounds.corr.GSC.PP](#), [bounds.corr.GSC.NN](#), [bounds.corr.GSC.NNP](#)

Examples

```
## Not run:
pmat = matrix(c(
  0.1148643, 1.0899150, -0.1148643, -0.0356926,
  -0.0488138, 0.9203374, 0.0488138, 0.0251256,
  -0.2107427, 1.0398224, 0.2107427, -0.0293247), nrow=3, byrow=TRUE)

lamvec = c(0.5,0.7,0.9)

cmat = matrix(c(
  1.000, 0.352, 0.265, 0.342, 0.090, 0.141,
  0.352, 1.000, 0.121, 0.297, -0.022, 0.177,
  0.265, 0.121, 1.000, 0.294, -0.044, 0.129,
  0.342, 0.297, 0.294, 1.000, 0.100, 0.354,
  0.090, -0.022, -0.044, 0.100, 1.000, 0.386,
  0.141, 0.177, 0.129, 0.354, 0.386, 1.000), nrow=6, byrow=TRUE)

Validate.correlation (cmat,pmat,lamvec)

## End(Not run)
```

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