

# Package ‘amsSim’

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**Type** Package

**Title** Adaptive Multilevel Splitting for Option Simulation and Pricing

**Version** 0.1.0

**Description** Simulation and pricing routines for rare-event options using Adaptive Multilevel Splitting and standard Monte Carlo under Black-Scholes and Heston models. Core routines are implemented in C++ via Rcpp and RcppArmadillo with lightweight R wrappers.

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**URL** <https://github.com/RiccardoGozzo/amsSim>,  
<https://arxiv.org/html/2510.23461v1>

**BugReports** <https://github.com/RiccardoGozzo/amsSim/issues>

**Encoding** UTF-8

**Language** en-US

**Depends** R (>= 4.1)

**Imports** Rcpp (>= 1.0.0)

**LinkingTo** Rcpp, RcppArmadillo

**SystemRequirements** C++17

**ByteCompile** true

**NeedsCompilation** yes

**RoxygenNote** 7.3.3

**Suggests** testthat (>= 3.0.0)

**Config/testthat/edition** 3

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**Repository** CRAN

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AMS	<i>AMS Adaptive Multilevel Splitting estimator for rare-event option payoffs.</i>
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## Description

Pipeline per iteration:

- Simulate  $n$  paths under the chosen model (BS/Heston-family).
- Compute continuation scores  $a_{i,j}$  via `function_AMS_Cpp`.
- Set level  $L = K$ -th order statistic of  $\max_j a_{i,j}$ .
- Identify survivors (top  $n - K$ ) and parents ( $K$  indices that cleared the level).
- For each parent, cut at first index that exceeds  $L$  and resimulate the suffix.
- Repeat until  $L \geq L_{\max}$ . Then compute discounted payoff on the final population.

## Usage

```
AMS(
  model,
  type,
  funz,
  n,
  t,
  p,
  r,
  sigma,
  S0,
  rho = NULL,
  rim = 0L,
  v0 = 0.04,
  Lmax = 0,
  strike = 1,
  K = 1L
)
```

## Arguments

<code>model</code>	1 = Black–Scholes; 2,3,4 = Heston variants (as in <code>simulate_AMS</code> ).
<code>type</code>	Payoff type passed to <code>payoff()</code> and <code>function_AMS_Cpp</code> (1..6).

funz	1 = BS digital proxy in continuation; 2 = raw feature (signed).
n	Population size (> K).
t	Maturity in years (>0).
p	Total time steps (>0).
r	Risk-free rate.
sigma	BS volatility (used by continuation; >0 if funz == 1).
S0	Initial spot.
rho	Correlation for Heston models (required for model >= 2, in [-1, 1]).
rim	Left-trim for simulation (keep last p - rim steps; 0 <= rim < p).
v0	Initial variance for Heston models (>=0).
Lmax	Stopping level: iterate while $L < L_{\max}$ .
strike	Strike $K$ used by continuation and final payoff.
K	Number of resampled offspring per iteration (1..n-1).

**Value**

List with price and std.

**Examples**

```
out <- AMS(model = 2, type = 3, funz = 1, n = 500, t = 1, p = 252, r = 0.03,
           sigma = 0.2, rho = -0.5, S0 = 1, rim = 0, Lmax = 0.5, strike = 1.3, K = 200)
str(out)
```

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simulate_AMS	<i>simulate_AMS Monte Carlo simulation of price paths under: 1 = Black-Scholes (exact solution) 2 = Heston (Euler discretisation) 3 = Heston (Milstein discretisation) 4 = Heston (Quadratic-Exponential scheme, Andersen 2008)</i>
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**Description**

simulate\_AMS Monte Carlo simulation of price paths under: 1 = Black-Scholes (exact solution) 2 = Heston (Euler discretisation) 3 = Heston (Milstein discretisation) 4 = Heston (Quadratic-Exponential scheme, Andersen 2008)

**Usage**

```
simulate_AMS(model, n, t, p, r, sigma, S0, rho = NULL, rim = 0L, v0 = 0.04)
```

**Arguments**

model	Integer in {1, 2, 3, 4} selecting the model.
n	Number of simulated paths (>0).
t	Maturity in years (>0).
p	Total time steps (>0).
r	Risk-free rate.
sigma	Black-Scholes volatility ( $\geq 0$ , used only when model == 1).
S0	Initial spot price (>0).
rho	Correlation between asset and variance Brownian motions (required for Heston models, finite in $[-1, 1]$ ).
rim	Left-trim: discard the first rim time steps ( $0 \leq \text{rim} < p$ ). Returned matrices keep $p - \text{rim} + 1$ columns including the initial time.
v0	Initial variance for Heston models ( $\geq 0$ ).

**Value**

List: for model 1 returns  $S$  ( $n \times (p - \text{rim} + 1)$ ); for Heston models returns  $S$  and  $V$ .

**Examples**

```
b <- simulate_AMS(1, n = 50, t = 1, p = 10, r = 0.01, sigma = 0.2, S0 = 100, rho = NULL)
str(b)
```

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