

Package ‘detectnorm’

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Type Package

Title Detect Nonnormality in Meta-Analysis without Raw Data

Version 1.0.0

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Description Non-normality could greatly distort the meta-analytic results, according to the simulation in Sun and Cheung (2020) <[doi:10.3758/s13428-019-01334-x](https://doi.org/10.3758/s13428-019-01334-x)>. This package aims to detect non-normality for two independent groups with only limited descriptive statistics, including mean, standard deviation, minimum, and maximum.

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URL <https://github.com/irissun/detectnorm>

BugReports <https://github.com/irissun/detectnorm/issues>

Encoding UTF-8

LazyData true

Depends R (>= 2.10)

Imports nleqslv, ggplot2, truncnorm, Rdpack, psych

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RdMacros Rdpack

RoxygenNote 7.2.0

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beta_mdat	<i>Example meta-analysis: Extremely Non-normal Data</i>
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Description

This dataset is generated by nonnormal data with function rnonnorm. It contains the descriptive data in individual studies in the meta-analysis.

Usage

beta_mdat

Format

A data.frame with 40 studies:

study No of studies

n1 sample size of group 1 with equal sample size for the two studies. Generated with uniform distribution.

m1 mean of group 1. Population mean is equal to 1. The data of group 1 is generated with skewness = 4 and kurtosis = 2.

sd1 standard deviation of group 1. Population sd of group 1 is equal to 1.

lo1 minimum of the generated sample for group 1.

hi1 maximum of the generated sample for group 1.

n2 sample size of study 2; n1 = n2 for each study

m2 mean of group 2. Population mean is equal to 1.5. The data of group 2 is generated with skewness = -4 and kurtosis = 2.

sd2 standard deviation of group 2. Population sd of group 2 is equal to 1.

lo2 minimum of the generated sample for group 2.

hi2 maximum of the generated sample for group 2.

skew1 sample skewness for group 1.

skew2 sammple skewness for group 2.

desbeta	<i>Calculate skewness and kurtosis based on Beta distribution in one group</i>
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Description

This function can be used to calculate the skewness and kurtosis based on the Beta distribution. Also, this function estimate the shape parameters alpha and beta.

Usage

```
desbeta(
  vmean,
  vsd,
  lo,
  hi,
  method = "MM",
  rawdata = NULL,
  showFigure = FALSE,
  ...
)
```

Arguments

vmean	sample mean of the truncated data
vsd	sample standard deviation of the truncated data
lo	minimum possible value
hi	maximum possible value
method	when method = 'MM', the method used is the method of moments, when method = 'ML', the method used to estimate the distribution is maximum likelihood
rawdata	when raw data is available, we could still use it to check it figuratively, if the data was closed to the normal distribution, or truncated normal distribution.
showFigure	when showFigure = TRUE, it will display the plots with theoretical normal curve and the truncated normal curve.
...	other arguments

Value

If 'showFigure = TRUE', the output will be a list with two objects: one is the data frame of shape parameters (alpha and beta), mean and standard deviation of standard beta distribution (mean and sd), and skewness and kurtosis; the other is the theoretical figures of beta and normal distributions. If 'showFigure = FALSE', the output will be only the data frame.

References

Johnson NL, Kotz S, Balakrishnan N (1995). "Continuous univariate distributions." In volume 289, chapter 25 Beta Distributions. John wiley & sons.

Smithson M, Verkuilen J (2006). "A better lemon squeezer? Maximum-likelihood regression with beta-distributed dependent variables." *Psychological methods*, **11**(1), 54.

See Also

[destrunc](#)

Examples

```
data('beta_mdat')
desbeta(vmean=beta_mdat$m2[6], vsd=beta_mdat$sd2[6],
hi = beta_mdat$hi2[6], lo = beta_mdat$lo2[6], showFigure = TRUE)
```

destrunc

Calculate skewness and kurtosis based on truncated normal distribution in one group

Description

This function can be used to calculate the skewness and kurtosis based on the truncated normal distribution. Also, it can be used to estimate the mean and variance of the parent distribution (the distribution before truncated).

Usage

```
destrunc(
  vmean,
  vsd,
  lo,
  hi,
  rawdata = NULL,
  showFigure = FALSE,
  xstart,
  btol,
  ftol,
  ...
)
```

Arguments

vmean	sample mean of the truncated data
vsd	sample standard deviation of the truncated data
lo	minimum possible value
hi	maximum possible value
rawdata	when raw data is available, we could still use it to check it figuratively, if the data was closed to the normal distribution, or truncated normal distribution.
showFigure	when showFigure = TRUE, it will display the plots with theoretical normal curve and the truncated normal curve.
xstart	see the package nleqslv
btol	see the package nleqslv
ftol	see the package nleqslv
...	other arguments

Value

If 'showFigure = TRUE', the output will be a list with two objects: one is the data frame of parent mean and standard deviation (pmean and psd), mean and standard deviation of truncated normal distribution (mean and sd), and skewness and kurtosis; the other is the theoretical figures of beta and normal distributions. If 'showFigure = FALSE', the output will be only the data frame.

References

- Shah SM, Jaiswal MC (1966). "Estimation of parameters of doubly truncated normal distribution from first four sample moments." *Annals of the Institute of Statistical Mathematics*, **18**(1), 107–111.
- Robert CP (1995). "Simulation of truncated normal variables." *Statistics and computing*, **5**(2), 121–125.
- Barr DR, Sherrill ET (1999). "Mean and variance of truncated normal distributions." *The American Statistician*, **53**(4), 357–361.

See Also

[desbeta](#)

Examples

```
data("trun_mdat")
destrunc(vmean=trun_mdat$m2[6], vsd=trun_mdat$sd2[6],
hi = 4, lo = 0, showFigure = TRUE)
#example2
destrunc(vmean=trun_mdat$m1[17], vsd=trun_mdat$sd1[17],
hi = 4, lo = 0, showFigure = TRUE)
```

detectnorm	<i>Calculate skewness and kurtosis based on Beta or truncated normal distribution in a meta-analysis for SMD (Two independent groups)</i>
------------	---

Description

This function can be used to calculate the skewness and kurtosis based on the Beta distribution with the dataset used to conduct meta-analysis.

Usage

```
detectnorm(
  m1i,
  sd1i,
  n1i,
  lo1i,
  hi1i,
  m2i,
  sd2i,
  n2i,
  lo2i,
  hi2i,
  data,
  showFigure = FALSE,
  distri = "beta",
  ...
)
```

Arguments

m1i	vector to the means of first group
sd1i	vector to specify the standard deviation of first group
n1i	vector to specify the sample size of first group
lo1i	vector to specify the possible minimum of the first group
hi1i	vector to specify the possible maximum of the first group
m2i	vector to the means of second group
sd2i	vector to specify the standard deviation of second group
n2i	vector to specify the sample size of second group
lo2i	vector to specify the possible minimum of the second group
hi2i	vector to specify the possible maximum of the second group
data	the optional original data frame containing the data for the function
showFigure	when showFigure = TRUE, it will display all the plots (within the result as a list, result\$fig) with theoretical normal curve and the truncated normal curve.

distri	Beta distribution is used when using ‘distri = "beta"‘; Truncated normal distribution is used when using ‘distri = "truncnorm"‘
...	other arguments

Value

The output of the data frame adding some columns of the possible skewness and kurtosis for each groups.

References

Barr DR, Sherrill ET (1999). “Mean and variance of truncated normal distributions.” *The American Statistician*, **53**(4), 357–361.

Johnson NL, Kotz S, Balakrishnan N (1995). “Continuous univariate distributions.” In volume 289, chapter 25 Beta Distributions. John wiley & sons.

Robert CP (1995). “Simulation of truncated normal variables.” *Statistics and computing*, **5**(2), 121–125.

Shah SM, Jaiswal MC (1966). “Estimation of parameters of doubly truncated normal distribution from first four sample moments.” *Annals of the Institute of Statistical Mathematics*, **18**(1), 107–111.

Smithson M, Verkuilen J (2006). “A better lemon squeezer? Maximum-likelihood regression with beta-distributed dependent variables.” *Psychological methods*, **11**(1), 54.

Sun RW, Cheung SF (2020). “The influence of nonnormality from primary studies on the standardized mean difference in meta-analysis.” *Behavior Research Methods*, **52**(4), 1552–1567.

Examples

```
#truncated normal data
data("trun_mdat")
ex <- detectnorm(m1i = m1, sd1i = sd1, n1i = n1,
  hi1i = 4, lo1i = 0, m2i = m2, sd2i = sd2, n2i = n2,
  hi2i = 4, lo2i=0, distri = "truncnorm", data = trun_mdat)
head(ex)
#extremely non-normal data
data("beta_mdat")
ex2 <- detectnorm(m1i = m1, sd1i = sd1, n1i = n1,
  hi1i = hi1, lo1i = lo1, m2i = m2, sd2i = sd2, n2i = n2,
  hi2i = hi2, lo2i=lo2, distri = "beta", data = beta_mdat)
head(ex2)
mean(ex2$skew1)#sample skewness calculated from the sample
mean(ex2$g1_skewness) #estimated using beta
```

`rnonnorm`*Non-normal Distribution*

Description

Generating Non-normal data with specified skewness and kurtosis using Fleishman's Method

Usage

```
rnonnorm(n, mean = 0, sd = 1, skew = 0, kurt = 0)
```

Arguments

<code>n</code>	number of observations
<code>mean</code>	mean
<code>sd</code>	standard deviation
<code>skew</code>	skewness
<code>kurt</code>	kurtosis

Details

This function can be used to generate non-normal data with specified skewness and kurtosis using Fleishman's Power Method.

Value

A list of two objects: non-normal data is 'dat'; and the other is the Fleishman Coefficients used to generate the distributions.

References

Fleishman AI (1978). "A method for simulating non-normal distributions." *Psychometrika*, **43**(4), 521–532.

Examples

```
set.seed(341031)
exdat <- rnonnorm(n = 100, mean = 1, sd = 2, skew = 3, kurt = 2)$dat
hist(exdat)
```

`trun_mdat`*Example meta-analysis: Truncated Normal Data*

Description

This dataset is generated by truncated normal data with function `rtruncnorm` with the scale of 0-4.

Usage`trun_mdat`**Format**

A data frame with 40 studies:

study No of studies

n1 sample size of group 1 with equal sample size for the two studies. Generated with uniform distribution.

m1 mean of group 1. Population mean is equal to 1. The data of group 1 is generated with the scale 0-4.

sd1 standard deviation of group 1. Population sd of group 1 is equal to 1.

lo1 minimum of the generated sample for group 1.

hi1 maximum of the generated sample for group 1.

n2 sample size of study 2; $n1 = n2$ for each study

m2 mean of group 2. Population mean is equal to 1.5. The data of group 2 is generated with the scale 0-4.

sd2 standard deviation of group 2. Population sd of group 2 is equal to 1.

lo2 minimum of the generated sample for group 2.

hi2 maximum of the generated sample for group 2.

skew1 sample skewness for group 1.

skew2 sample skewness for group 2.

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