

# Package ‘twoCoprimary’

May 8, 2026

**Type** Package

**Title** Sample Size and Power Calculation for Two Co-Primary Endpoints

**Version** 1.0.0

**Description** Comprehensive functions to calculate sample size and power for clinical trials with two co-primary endpoints. The package supports five endpoint combinations: two continuous endpoints (Sozu et al. 2011 <[doi:10.1080/10543406.2011.551329](https://doi.org/10.1080/10543406.2011.551329)>), two binary endpoints using asymptotic methods (Sozu et al. 2010 <[doi:10.1002/sim.3972](https://doi.org/10.1002/sim.3972)>) and exact methods (Homma and Yoshida 2025 <[doi:10.1177/09622802251368697](https://doi.org/10.1177/09622802251368697)>), mixed continuous and binary endpoints (Sozu et al. 2012 <[doi:10.1002/bimj.201100221](https://doi.org/10.1002/bimj.201100221)>), and mixed count and continuous endpoints (Homma and Yoshida 2024 <[doi:10.1002/pst.2337](https://doi.org/10.1002/pst.2337)>). All methods appropriately account for correlation between endpoints and provide both sample size and power calculation capabilities.

**License** MIT + file LICENSE

**Encoding** UTF-8

**Depends** R (>= 3.5.0)

**Imports** mvtnorm, pbivnorm, fpCompare, stats

**Suggests** dplyr, knitr, rmarkdown, testthat (>= 3.0.0), tibble, tidyr, readr

**VignetteBuilder** knitr

**RoxygenNote** 7.3.3

**URL** <https://gosukehommaex.github.io/twoCoprimary/>,  
<https://github.com/gosukehommaEX/twoCoprimary>

**BugReports** <https://github.com/gosukehommaEX/twoCoprimary/issues>

**Language** en-US

**Config/testthat/edition** 3

**NeedsCompilation** no

**Author** Gosuke Homma [aut, cre] (ORCID:  
<<https://orcid.org/0000-0002-6854-5627>>)

**Maintainer** Gosuke Homma <my.name.is.gosuke@gmail.com>

**Repository** CRAN

**Date/Publication** 2025-11-21 14:50:02 UTC

## Contents

corrbound2Binary . . . . .	2
corrbound2MixedCountContinuous . . . . .	4
dbibinom . . . . .	5
design_table . . . . .	6
plot.twoCoprimary . . . . .	9
power2BinaryApprox . . . . .	11
power2BinaryExact . . . . .	14
power2Continuous . . . . .	16
power2MixedContinuousBinary . . . . .	18
power2MixedCountContinuous . . . . .	21
print.twoCoprimary . . . . .	24
print.twoCoprimary_table . . . . .	25
rr1Binary . . . . .	25
ss1BinaryApprox . . . . .	27
ss1Continuous . . . . .	29
ss1Count . . . . .	30
ss2BinaryApprox . . . . .	32
ss2BinaryExact . . . . .	34
ss2Continuous . . . . .	36
ss2MixedContinuousBinary . . . . .	39
ss2MixedCountContinuous . . . . .	41
twoCoprimary2BinaryApprox . . . . .	44
twoCoprimary2BinaryExact . . . . .	46
twoCoprimary2Continuous . . . . .	48
twoCoprimary2MixedContinuousBinary . . . . .	50
twoCoprimary2MixedCountContinuous . . . . .	51
<b>Index</b>	<b>54</b>

---

corrbound2Binary	<i>Calculate Correlation Bounds Between Two Binary Outcomes</i>
------------------	---

---

## Description

Computes the lower and upper bounds of the correlation coefficient between two binary outcomes based on their marginal probabilities, as described in Prentice (1988).

## Usage

```
corrbound2Binary(p1, p2)
```

**Arguments**

p1	True probability of responders for the first outcome ( $0 < p1 < 1$ )
p2	True probability of responders for the second outcome ( $0 < p2 < 1$ )

**Details**

For two binary outcomes with marginal probabilities p1 and p2, the correlation coefficient rho is bounded by:

$$\rho \in [L(p_1, p_2), U(p_1, p_2)]$$

where

$$L(p_1, p_2) = \max \left\{ -\sqrt{\frac{p_1 p_2}{(1-p_1)(1-p_2)}}, -\sqrt{\frac{(1-p_1)(1-p_2)}{p_1 p_2}} \right\}$$

$$U(p_1, p_2) = \min \left\{ \sqrt{\frac{p_1(1-p_2)}{p_2(1-p_1)}}, \sqrt{\frac{p_2(1-p_1)}{p_1(1-p_2)}} \right\}$$

**Value**

A named numeric vector with two elements:

L_bound	Lower bound of the correlation
U_bound	Upper bound of the correlation

**References**

Prentice, R. L. (1988). Correlated binary regression with covariates specific to each binary observation. *Biometrics*, 44(4), 1033-1048.

**Examples**

```
# Calculate correlation bounds for two binary outcomes
corrbound2Binary(p1 = 0.3, p2 = 0.5)

# When probabilities are equal, upper bound is 1
corrbound2Binary(p1 = 0.4, p2 = 0.4)

# When p1 + p2 = 1, lower bound is -1
corrbound2Binary(p1 = 0.3, p2 = 0.7)
```

---

 corrbound2MixedCountContinuous

*Calculate Correlation Bounds Between Count and Continuous Outcomes*

---

### Description

Computes the lower and upper bounds of the correlation coefficient between an overdispersed count outcome (negative binomial) and a continuous outcome (normal), as described in Homma and Yoshida (2024).

### Usage

```
corrbound2MixedCountContinuous(lambda, nu, mu, sd)
```

### Arguments

lambda	Mean parameter for the negative binomial distribution (lambda > 0)
nu	Dispersion parameter for the negative binomial distribution (nu > 0)
mu	Mean for the continuous outcome
sd	Standard deviation for the continuous outcome (sd > 0)

### Details

The correlation bounds are calculated using the Frchet-Hoeffding bounds for copulas, as described in Trivedi and Zimmer (2007). The negative binomial distribution has mean lambda and variance:

$$Var(Y_1) = \lambda + \frac{\lambda^2}{\nu}$$

The variance of the negative binomial distribution is:  $Var(Y_1) = \lambda + \lambda^2/\nu$

### Value

A named numeric vector with two elements:

L_bound	Lower bound of the correlation
U_bound	Upper bound of the correlation

### References

Homma, G., & Yoshida, T. (2024). Sample size calculation in clinical trials with two co-primary endpoints including overdispersed count and continuous outcomes. *Pharmaceutical Statistics*, 23(1), 46-59.

Trivedi, P. K., & Zimmer, D. M. (2007). Copula modeling: an introduction for practitioners. *Foundations and Trends in Econometrics*, 1(1), 1-111.

**Examples**

```
# Calculate correlation bounds for NB(1.25, 0.8) and N(0, 250)
corrbound2MixedCountContinuous(lambda = 1.25, nu = 0.8, mu = 0, sd = 250)

# Higher dispersion parameter
corrbound2MixedCountContinuous(lambda = 2.0, nu = 2.0, mu = 50, sd = 200)

# Different follow-up time
corrbound2MixedCountContinuous(lambda = 1.0 * 2, nu = 1.0, mu = 0, sd = 300)
```

dbibinom

*Probability Mass Function of Bivariate Binomial Distribution***Description**

Calculates the probability mass function of the bivariate binomial distribution for given parameters, as described in Homma and Yoshida (2025).

**Usage**

```
dbibinom(N, y1, y2, p1, p2, rho)
```

**Arguments**

N	Sample size (number of trials)
y1	Observed value(s) of the first random variable (0 to N)
y2	Observed value(s) of the second random variable (0 to N)
p1	True probability of responders for the first outcome ( $0 < p1 < 1$ )
p2	True probability of responders for the second outcome ( $0 < p2 < 1$ )
rho	Correlation coefficient between the two binary outcomes

**Details**

The bivariate binomial distribution  $\text{BiBin}(N, p1, p2, \gamma)$  has probability mass function given by equation (3) in Homma and Yoshida (2025):

$$P(Y_1 = y_1, Y_2 = y_2) = f(y_1|N, p_1) \times g(y_2|y_1, N, p_1, p_2, \gamma)$$

where

$$g(y_2|y_1, N, p_1, p_2, \gamma) = \frac{1}{(1 + \gamma)^N} \sum_{m \in \mathcal{M}} \binom{y_1}{m} \binom{N - y_1}{y_2 - m} (\xi + \gamma)^m (1 - \xi)^{y_1 - m} \xi^{y_2 - m} (1 - \xi + \gamma)^{N - y_1 - (y_2 - m)}$$

with  $\xi = p_2 + \gamma(p_2 - p_1)$  and  $\mathcal{M} = \{m : m = \max(0, y_2 - (N - y_1)), \dots, \min(y_1, y_2)\}$ .

**Value**

Probability mass function value(s) for the bivariate binomial distribution. If  $y_1$  and  $y_2$  are vectors, returns a vector of probabilities.

**References**

Homma, G., & Yoshida, T. (2025). Exact power and sample size in clinical trials with two co-primary binary endpoints. *Statistical Methods in Medical Research*, 34(1), 1-19.

**Examples**

```
# Calculate single probability mass
dbibinom(N = 100, y1 = 30, y2 = 50, p1 = 0.3, p2 = 0.5, rho = 0.5)

# Verify that probabilities sum to 1
N <- 20
p1 <- 0.3
p2 <- 0.5
rho <- 0.5
sum(outer(0:N, 0:N, function(x, y) dbibinom(N, x, y, p1, p2, rho)))
```

---

design\_table

---

*Create Design Comparison Table for Two Co-Primary Endpoints*


---

**Description**

Generates a comprehensive table comparing sample sizes or power across different parameter combinations and correlation values. This function is useful for sensitivity analyses and exploring how design parameters affect statistical properties.

**Usage**

```
design_table(
  param_grid,
  rho_values = c(0, 0.3, 0.5, 0.8),
  r = 1,
  alpha = 0.025,
  beta = 0.2,
  endpoint_type = c("continuous", "binary", "mixed_cont_binary", "mixed_count_cont"),
  Test = "AN",
  known_var = TRUE,
  nMC = 1000,
  output_var = NULL
)
```

**Arguments**

param_grid	A data.frame containing parameter combinations. Required columns depend on endpoint_type and calculation_mode: <ul style="list-style-type: none"> <li>• For continuous endpoints (sample size): delta1, delta2, sd1, sd2</li> <li>• For continuous endpoints (power): n1, n2, delta1, delta2, sd1, sd2</li> <li>• For binary endpoints (sample size): p11, p12, p21, p22</li> <li>• For binary endpoints (power): n1, n2, p11, p12, p21, p22</li> <li>• For mixed continuous-binary (sample size): delta, sd, p1, p2</li> <li>• For mixed continuous-binary (power): n1, n2, delta, sd, p1, p2</li> <li>• For mixed count-continuous (sample size): r1, r2, nu, t, mu1, mu2, sd</li> <li>• For mixed count-continuous (power): n1, n2, r1, r2, nu, t, mu1, mu2, sd</li> </ul>
rho_values	Numeric vector of correlation values to evaluate. Default is c(0, 0.3, 0.5, 0.8).
r	Allocation ratio (n1/n2). Required for sample size calculation. Default is 1.
alpha	One-sided significance level. Default is 0.025.
beta	Type II error rate (1 - power). Required for sample size calculation. Default is 0.2 (power = 0.8).
endpoint_type	Character string specifying endpoint type: "continuous", "binary", "mixed_cont_binary", or "mixed_count_cont".
Test	Test method for binary endpoints: "AN" (asymptotic normal), "ANc" (with continuity correction), "AS" (arcsine), or "ASc". Default is "AN". Only used for binary and mixed_cont_binary endpoints.
known_var	Logical indicating whether variance is known for continuous endpoints. Default is TRUE.
nMC	Number of Monte Carlo simulations for certain calculations. Default is 1000.
output_var	Character string specifying which variable to output in the result columns: "N" (total sample size, default for sample size calculation) or "powerCoprimary" (co-primary power, default for power calculation).

**Details**

This function performs systematic calculations across all combinations of parameters specified in param\_grid and correlation values in rho\_values.

The calculation mode (sample size vs power) is automatically determined:

- If param\_grid contains n1 and n2: calculates power
- Otherwise: calculates sample size (requires r, alpha, beta)

For binary endpoints with two correlations (rho1, rho2), both are set to the same value from rho\_values for each calculation.

The output format follows the style of Sozu et al. (2011), with parameters displayed in the leftmost columns and results for each correlation in subsequent columns.

**Value**

A data.frame of class "twoCoprimary\_table" with:

- Parameter columns (from param\_grid)
- Result columns for each correlation value (rho\_0.0, rho\_0.3, etc.)

**References**

Sozu, T., Kanou, T., Hamada, C., & Yoshimura, I. (2011). Power and sample size calculations in clinical trials with multiple primary variables. *Japanese Journal of Biometrics*, 27, 83-96.

**Examples**

```
# Sample size calculation for continuous endpoints
param_grid <- expand.grid(
  delta1 = c(0.3, 0.5),
  delta2 = c(0.1, 0.2, 0.3),
  sd1 = c(1.0, 1.5),
  sd2 = c(1.0, 1.5)
)

result <- design_table(
  param_grid = param_grid,
  rho_values = c(0, 0.3, 0.5, 0.8),
  r = 1,
  alpha = 0.025,
  beta = 0.2,
  endpoint_type = "continuous"
)
print(result)

# Power calculation for continuous endpoints
param_grid_power <- expand.grid(
  n1 = c(50, 100),
  n2 = c(50, 100),
  delta1 = 0.5,
  delta2 = 0.5,
  sd1 = 1.0,
  sd2 = 1.0
)

result_power <- design_table(
  param_grid = param_grid_power,
  rho_values = c(0, 0.3, 0.5, 0.8),
  alpha = 0.025,
  endpoint_type = "continuous"
)
print(result_power)

# Binary endpoints
param_grid_binary <- expand.grid(
  p11 = c(0.6, 0.7),
```

```
p12 = c(0.4, 0.5),
p21 = c(0.4, 0.5),
p22 = c(0.2, 0.3)
)

result_binary <- design_table(
  param_grid = param_grid_binary,
  rho_values = c(0.3, 0.5, 0.7),
  r = 1,
  alpha = 0.025,
  beta = 0.2,
  endpoint_type = "binary",
  Test = "AN"
)
print(result_binary)
```

---

plot.twoCoprimary      *Plot Method for twoCoprimary Objects*

---

## Description

Visualizes power or sample size relationships for two co-primary endpoints designs. The function automatically determines the appropriate plot based on the input object.

## Usage

```
## S3 method for class 'twoCoprimary'
plot(
  x,
  type = NULL,
  n_points = 50,
  n_range = NULL,
  rho_range = NULL,
  col = "steelblue",
  lwd = 2,
  main = NULL,
  xlab = NULL,
  ylab = NULL,
  show_reference = TRUE,
  ...
)
```

## Arguments

x	An object of class "twoCoprimary" from power or sample size calculation functions
type	Type of plot to generate:

	<b>"power_curve"</b> Power as a function of sample size (default for power calculation results)
	<b>"sample_size_rho"</b> Sample size as a function of correlation (default for sample size calculation results)
	<b>"effect_contour"</b> Contour plot showing combinations of effect sizes achieving target power
n_points	Number of points to compute for the curve. Default is 50.
n_range	Sample size range for power_curve plot. If NULL, automatically determined from the object.
rho_range	Correlation range for sample_size_rho plot. Default is seq(0, 0.9, length.out = n_points).
col	Line color. Default is "steelblue".
lwd	Line width. Default is 2.
main	Plot title. If NULL, automatically generated.
xlab	X-axis label. If NULL, automatically generated.
ylab	Y-axis label. If NULL, automatically generated.
show_reference	Logical. If TRUE, shows reference lines (e.g., target power, current values). Default is TRUE.
...	Additional graphical parameters passed to plot()

## Details

The function creates publication-quality plots to visualize the relationship between design parameters and statistical properties. The plot type is automatically selected based on the input object, but can be overridden using the `type` argument.

For power calculation results (when `n1` and `n2` are specified), the default is to show how power changes with sample size.

For sample size calculation results (when power is specified), the default is to show how required sample size changes with correlation.

The function works with all endpoint types (continuous, binary, mixed) by automatically detecting the appropriate parameters from the input object.

## Value

Invisibly returns the data used to create the plot as a data frame.

## Examples

```
# Power calculation result
result_power <- power2Continuous(
  n1 = 100, n2 = 100,
  delta1 = 0.5, delta2 = 0.5,
  sd1 = 1, sd2 = 1,
  rho = 0.5, alpha = 0.025,
  known_var = TRUE
```

```

)
plot(result_power) # Shows power curve

# Sample size calculation result
result_ss <- ss2Continuous(
  delta1 = 0.5, delta2 = 0.5,
  sd1 = 1, sd2 = 1,
  rho = 0.5, r = 1,
  alpha = 0.025, beta = 0.2,
  known_var = TRUE
)
plot(result_ss) # Shows sample size vs correlation

# Custom plot with specified type
plot(result_power, type = "power_curve", n_range = c(50, 200))

```

---

power2BinaryApprox	<i>Power Calculation for Two Co-Primary Binary Endpoints (Approximate)</i>
--------------------	--

---

### Description

Calculates the power for a two-arm superiority trial with two co-primary binary endpoints using various asymptotic normal approximation methods, as described in Sozu et al. (2010).

### Usage

```
power2BinaryApprox(n1, n2, p11, p12, p21, p22, rho1, rho2, alpha, Test)
```

### Arguments

n1	Sample size for group 1 (test group)
n2	Sample size for group 2 (control group)
p11	True probability of responders in group 1 for the first outcome ( $0 < p11 < 1$ )
p12	True probability of responders in group 1 for the second outcome ( $0 < p12 < 1$ )
p21	True probability of responders in group 2 for the first outcome ( $0 < p21 < 1$ )
p22	True probability of responders in group 2 for the second outcome ( $0 < p22 < 1$ )
rho1	Correlation between the two outcomes for group 1
rho2	Correlation between the two outcomes for group 2
alpha	One-sided significance level (typically 0.025 or 0.05)
Test	Statistical testing method. One of: <ul style="list-style-type: none"> <li>• "AN": Asymptotic normal method without continuity correction</li> <li>• "ANc": Asymptotic normal method with continuity correction</li> <li>• "AS": Arcsine method without continuity correction</li> <li>• "ASc": Arcsine method with continuity correction</li> </ul>

## Details

This function implements four approximate power calculation methods:

**Asymptotic Normal (AN):** Uses the standard normal approximation without continuity correction (equations 3-4 in Sozu et al. 2010).

**Asymptotic Normal with Continuity Correction (ANc):** Includes Yates's continuity correction (equation 5 in Sozu et al. 2010).

**Arcsine (AS):** Uses arcsine transformation without continuity correction (equation 6 in Sozu et al. 2010).

**Arcsine with Continuity Correction (ASc):** Arcsine method with continuity correction (equation 7 in Sozu et al. 2010).

The correlation between test statistics for the two endpoints depends on the method:

**For AN and ANc methods:**

$$\rho_{nml} = \frac{\sum_{j=1}^2 \rho_j \sqrt{\nu_{j1}\nu_{j2}}/n_j}{se_1 \times se_2}$$

where  $\nu_{jk} = p_{jk}(1 - p_{jk})$ .

**For AS method:**

$$\rho_{arc} = \frac{n_2\rho_1 + n_1\rho_2}{n_1 + n_2}$$

This is the weighted average of the correlations from both groups.

**For ASc method:**

$$\rho_{arc,c} = \frac{1}{se_1 \times se_2} \left( \frac{\rho_1 \sqrt{\nu_{11}\nu_{12}}}{4n_1 \sqrt{\nu_{11,c}\nu_{12,c}}} + \frac{\rho_2 \sqrt{\nu_{21}\nu_{22}}}{4n_2 \sqrt{\nu_{21,c}\nu_{22,c}}} \right)$$

where  $\nu_{jk,c} = (p_{jk} + c_j)(1 - p_{jk} - c_j)$ ,  $c_1 = -1/(2n_1)$ , and  $c_2 = 1/(2n_2)$ .

The correlation bounds are automatically checked using [corrbound2Binary](#).

## Value

A data frame with the following columns:

n1	Sample size for group 1
n2	Sample size for group 2
p11, p12, p21, p22	Response probabilities
rho1, rho2	Correlations
alpha	One-sided significance level
Test	Testing method used
power1	Power for the first endpoint alone
power2	Power for the second endpoint alone
powerCoprimary	Power for both co-primary endpoints

## References

Sozu, T., Sugimoto, T., & Hamasaki, T. (2010). Sample size determination in clinical trials with multiple co-primary binary endpoints. *Statistics in Medicine*, 29(21), 2169-2179.

## Examples

```
# Power calculation using asymptotic normal method
power2BinaryApprox(
  n1 = 200,
  n2 = 100,
  p11 = 0.5,
  p12 = 0.4,
  p21 = 0.3,
  p22 = 0.2,
  rho1 = 0.7,
  rho2 = 0.7,
  alpha = 0.025,
  Test = 'AN'
)
```

```
# Power calculation with continuity correction
power2BinaryApprox(
  n1 = 200,
  n2 = 100,
  p11 = 0.5,
  p12 = 0.4,
  p21 = 0.3,
  p22 = 0.2,
  rho1 = 0.7,
  rho2 = 0.7,
  alpha = 0.025,
  Test = 'ANc'
)
```

```
# Power calculation using arcsine method
power2BinaryApprox(
  n1 = 150,
  n2 = 150,
  p11 = 0.6,
  p12 = 0.5,
  p21 = 0.4,
  p22 = 0.3,
  rho1 = 0.5,
  rho2 = 0.5,
  alpha = 0.025,
  Test = 'AS'
)
```

---

power2BinaryExact      *Exact Power Calculation for Two Co-Primary Binary Endpoints*

---

### Description

Calculates the exact power for a two-arm superiority trial with two co-primary binary endpoints using the bivariate binomial distribution, as described in Homma and Yoshida (2025).

### Usage

```
power2BinaryExact(n1, n2, p11, p12, p21, p22, rho1, rho2, alpha, Test)
```

### Arguments

n1	Sample size for group 1 (test group)
n2	Sample size for group 2 (control group)
p11	True probability of responders in group 1 for the first outcome ( $0 < p11 < 1$ )
p12	True probability of responders in group 1 for the second outcome ( $0 < p12 < 1$ )
p21	True probability of responders in group 2 for the first outcome ( $0 < p21 < 1$ )
p22	True probability of responders in group 2 for the second outcome ( $0 < p22 < 1$ )
rho1	Correlation between the two outcomes for group 1
rho2	Correlation between the two outcomes for group 2
alpha	One-sided significance level (typically 0.025 or 0.05)
Test	Statistical testing method. One of: <ul style="list-style-type: none"> <li>• "Chisq": One-sided Pearson chi-squared test</li> <li>• "Fisher": Fisher exact test</li> <li>• "Fisher-midP": Fisher mid-p test</li> <li>• "Z-pool": Z-pooled exact unconditional test</li> <li>• "Boschloo": Boschloo exact unconditional test</li> </ul>

### Details

This function calculates exact power using equation (9) in Homma and Yoshida (2025):

$$power_A(\theta) = \sum_{(a_{1,1}, a_{2,1}) \in \mathcal{A}_1} \sum_{(a_{1,2}, a_{2,2}) \in \mathcal{A}_2} f(a_{1,1}|N_1, p_{1,1}) \times f(a_{2,1}|N_2, p_{2,1}) \times g(a_{1,2}|a_{1,1}, N_1, p_{1,1}, p_{1,2}, \gamma_1) \times g(a_{2,2}|a_{2,1}, N_2, p_{2,1}, p_{2,2}, \gamma_2)$$

where  $\mathcal{A}_k$  is the rejection region for endpoint k, and  $(Y_{j,1}, Y_{j,2}) \sim BiBin(N_j, p_{j,1}, p_{j,2}, \gamma_j)$  follows the bivariate binomial distribution.

The correlation bounds are automatically checked using [corrbound2Binary](#).

**Value**

A data frame with the following columns:

n1	Sample size for group 1
n2	Sample size for group 2
p11, p12, p21, p22	Response probabilities
rho1, rho2	Correlations
alpha	One-sided significance level
Test	Testing method used
power1	Power for the first endpoint alone
power2	Power for the second endpoint alone
powerCoprimary	Exact power for both co-primary endpoints

**References**

Homma, G., & Yoshida, T. (2025). Exact power and sample size in clinical trials with two co-primary binary endpoints. *Statistical Methods in Medical Research*, 34(1), 1-19.

**Examples**

```
# Exact power calculation using Boschloo test
power2BinaryExact(
  n1 = 100,
  n2 = 50,
  p11 = 0.5,
  p12 = 0.4,
  p21 = 0.3,
  p22 = 0.2,
  rho1 = 0.7,
  rho2 = 0.7,
  alpha = 0.025,
  Test = 'Boschloo'
)

# Exact power with Fisher exact test
power2BinaryExact(
  n1 = 80,
  n2 = 80,
  p11 = 0.6,
  p12 = 0.5,
  p21 = 0.4,
  p22 = 0.3,
  rho1 = 0.5,
  rho2 = 0.5,
  alpha = 0.025,
  Test = 'Fisher'
)
```

```
# Larger sample sizes (computationally intensive)
power2BinaryExact(
  n1 = 200,
  n2 = 100,
  p11 = 0.5,
  p12 = 0.4,
  p21 = 0.3,
  p22 = 0.2,
  rho1 = 0.6,
  rho2 = 0.6,
  alpha = 0.025,
  Test = 'Chisq'
)
```

---

power2Continuous

*Power Calculation for Two Co-Primary Continuous Endpoints*


---

### Description

Calculates the power for a two-arm superiority trial with two co-primary continuous endpoints, as described in Sozu et al. (2011).

### Usage

```
power2Continuous(
  n1,
  n2,
  delta1,
  delta2,
  sd1,
  sd2,
  rho,
  alpha,
  known_var = TRUE,
  nMC = 10000
)
```

### Arguments

n1	Sample size for group 1 (test group)
n2	Sample size for group 2 (control group)
delta1	Mean difference for the first endpoint
delta2	Mean difference for the second endpoint
sd1	Common standard deviation for the first endpoint

sd2	Common standard deviation for the second endpoint
rho	Common correlation between the two outcomes
alpha	One-sided significance level (typically 0.025 or 0.05)
known_var	Logical value indicating whether variance is known (TRUE) or unknown (FALSE). If TRUE, power is calculated analytically; otherwise, Monte Carlo simulation is used for unknown variance
nMC	Number of Monte Carlo simulations when known_var = FALSE (default is 10000)

### Details

For known variance, the power is calculated using the bivariate normal distribution as described in Sozu et al. (2011). The test statistics are:

$$Z_k = \frac{\delta_k}{\sigma_k \sqrt{1/n_1 + 1/n_2}}$$

for  $k = 1, 2$ . The co-primary power is:

$$1 - \beta = \Phi_2(-z_{1-\alpha} + Z_1, -z_{1-\alpha} + Z_2 | \rho)$$

where  $\Phi_2$  is the cumulative distribution function of the bivariate standard normal distribution.

For unknown variance, Monte Carlo simulation is used with Wishart-distributed variance-covariance matrices to account for variance estimation uncertainty, following equation (6) in Sozu et al. (2011):

$$\text{Power} = E_W [\Phi_2(-c_1^* \sqrt{w_{11}}, -c_2^* \sqrt{w_{22}} | \rho)]$$

where  $c_k^* = t_{\alpha, \nu} \sqrt{\frac{1}{\nu} - \frac{Z_k}{\sqrt{w_{kk}}}}$  and  $W$  follows a Wishart distribution with  $\nu = n_1 + n_2 - 2$  degrees of freedom.

### Value

A data frame with the following columns:

n1	Sample size for group 1
n2	Sample size for group 2
delta1	Mean difference for endpoint 1
delta2	Mean difference for endpoint 2
sd1	Standard deviation for endpoint 1
sd2	Standard deviation for endpoint 2
rho	Correlation between endpoints
alpha	One-sided significance level
known_var	Variance assumption
nMC	Number of Monte Carlo simulations (NA if known_var = TRUE)
power1	Power for the first endpoint alone
power2	Power for the second endpoint alone
powerCoprimary	Power for both co-primary endpoints

## References

Sozu, T., Sugimoto, T., & Hamasaki, T. (2011). Sample size determination in superiority clinical trials with multiple co-primary correlated endpoints. *Journal of Biopharmaceutical Statistics*, 21(4), 650-668.

## Examples

```
# Example parameters for comparison across methods
n1_ex <- 100
n2_ex <- 100
delta1_ex <- 0.5
delta2_ex <- 0.5
sd1_ex <- 1
sd2_ex <- 1
rho_ex <- 0.3
alpha_ex <- 0.025

# Power calculation with known variance
power2Continuous(
  n1 = n1_ex,
  n2 = n2_ex,
  delta1 = delta1_ex,
  delta2 = delta2_ex,
  sd1 = sd1_ex,
  sd2 = sd2_ex,
  rho = rho_ex,
  alpha = alpha_ex,
  known_var = TRUE
)

# Power calculation with unknown variance (Monte Carlo)
power2Continuous(
  n1 = n1_ex,
  n2 = n2_ex,
  delta1 = delta1_ex,
  delta2 = delta2_ex,
  sd1 = sd1_ex,
  sd2 = sd2_ex,
  rho = rho_ex,
  alpha = alpha_ex,
  known_var = FALSE,
  nMC = 10000
)
```

**Description**

Calculates the power for a two-arm superiority trial with two co-primary endpoints where one is continuous and one is binary, as described in Sozu et al. (2012).

**Usage**

```
power2MixedContinuousBinary(
  n1,
  n2,
  delta,
  sd,
  p1,
  p2,
  rho,
  alpha,
  Test,
  nMC = 10000
)
```

**Arguments**

n1	Sample size for group 1 (test group)
n2	Sample size for group 2 (control group)
delta	Mean difference for the continuous endpoint (group 1 - group 2)
sd	Common standard deviation for the continuous endpoint
p1	Probability of response in group 1 for the binary endpoint ( $0 < p1 < 1$ )
p2	Probability of response in group 2 for the binary endpoint ( $0 < p2 < 1$ )
rho	Biserial correlation between the latent continuous variable underlying the binary endpoint and the observed continuous endpoint
alpha	One-sided significance level (typically 0.025 or 0.05)
Test	Statistical testing method for the binary endpoint. One of: <ul style="list-style-type: none"> <li>• "AN": Asymptotic normal method without continuity correction</li> <li>• "ANc": Asymptotic normal method with continuity correction</li> <li>• "AS": Arcsine method without continuity correction</li> <li>• "ASc": Arcsine method with continuity correction</li> <li>• "Fisher": Fisher's exact test (Monte Carlo simulation required)</li> </ul>
nMC	Number of Monte Carlo replications when Test = "Fisher" (default: 10000)

**Details**

This function implements the power calculation for mixed endpoints (one continuous and one binary) as described in Sozu et al. (2012). The method assumes that the binary variable is derived from a latent continuous variable via dichotomization at a threshold point.

**For Fisher's exact test**, Monte Carlo simulation is used because exact calculation is computationally intensive. The continuous endpoint is analyzed using t-test, and the binary endpoint uses Fisher's exact test.

**For asymptotic methods (AN, ANc, AS, ASc)**, analytical formulas are used based on bivariate normal approximation. The correlation between test statistics depends on the biserial correlation  $\rho$  and the specific testing method.

**Biserial Correlation:** The biserial correlation  $\rho$  represents the correlation between the latent continuous variable underlying the binary endpoint and the observed continuous endpoint. This is not the same as the point-biserial correlation observed in the data.

### Value

A data frame with the following columns:

n1	Sample size for group 1
n2	Sample size for group 2
delta	Mean difference for continuous endpoint
sd	Standard deviation for continuous endpoint
p1	Response probability in group 1 for binary endpoint
p2	Response probability in group 2 for binary endpoint
rho	Biserial correlation
alpha	One-sided significance level
Test	Testing method used for binary endpoint
powerCont	Power for the continuous endpoint alone
powerBin	Power for the binary endpoint alone
powerCoprimary	Power for both co-primary endpoints

### References

Sozu, T., Sugimoto, T., & Hamasaki, T. (2012). Sample size determination in clinical trials with multiple co-primary endpoints including mixed continuous and binary variables. *Biometrical Journal*, 54(5), 716-729.

### Examples

```
# Power calculation using asymptotic normal method
power2MixedContinuousBinary(
  n1 = 100,
  n2 = 100,
  delta = 0.5,
  sd = 1,
  p1 = 0.6,
  p2 = 0.4,
  rho = 0.5,
  alpha = 0.025,
  Test = 'AN'
```

```
)

# Power calculation with Fisher's exact test (computationally intensive)
power2MixedContinuousBinary(
  n1 = 50,
  n2 = 50,
  delta = 0.5,
  sd = 1,
  p1 = 0.6,
  p2 = 0.4,
  rho = 0.5,
  alpha = 0.025,
  Test = 'Fisher',
  nMC = 5000
)
```

---

power2MixedCountContinuous

*Power Calculation for Two Co-Primary Endpoints (Count and Continuous)*

---

### Description

Calculates the power for a two-arm superiority trial with one overdispersed count co-primary endpoint and one continuous co-primary endpoint, as described in Homma and Yoshida (2024).

### Usage

```
power2MixedCountContinuous(
  n1,
  n2,
  r1,
  r2,
  nu,
  t,
  mu1,
  mu2,
  sd,
  rho1,
  rho2,
  alpha
)
```

**Arguments**

n1	Sample size for group 1 (test group)
n2	Sample size for group 2 (control group)
r1	Mean rate (events per unit time) for the treatment group (count endpoint)
r2	Mean rate (events per unit time) for the control group (count endpoint)
nu	Common dispersion parameter for the negative binomial distribution (nu > 0)
t	Common follow-up time period
mu1	Mean for group 1 (continuous endpoint)
mu2	Mean for group 2 (continuous endpoint)
sd	Common standard deviation for the continuous endpoint
rho1	Correlation between count and continuous outcomes for treatment group
rho2	Correlation between count and continuous outcomes for control group
alpha	One-sided significance level (typically 0.025 or 0.05)

**Details**

The test statistics are (equation 7 in Homma and Yoshida 2024):

$$Z_1 = \frac{\hat{\beta}_1}{\sqrt{\text{Var}(\hat{\beta}_1)}}, \quad Z_2 = \frac{\hat{\delta}}{\sigma \sqrt{(1 + \kappa)/(\kappa n_0)}}$$

The joint distribution of (Z1, Z2) follows an asymptotic bivariate normal distribution with correlation gamma (equation 11):

$$\gamma = \sum_{j=0,1} \frac{n_0 \rho_j \sqrt{1 + \lambda_j/\nu}}{n_j \sqrt{\lambda_j} V_a \sqrt{(1 + \kappa)/\kappa}}$$

where  $\lambda_j = r_j \times t$ .

The correlation bounds are automatically checked using [corrbound2MixedCountContinuous](#).

**Value**

A data frame with the following columns:

n1	Sample size for group 1
n2	Sample size for group 2
r1	Mean rate in group 1 for count endpoint
r2	Mean rate in group 2 for count endpoint
nu	Dispersion parameter
t	Follow-up time
mu1	Mean in group 1 for continuous endpoint
mu2	Mean in group 2 for continuous endpoint
sd	Standard deviation for continuous endpoint

rho1	Correlation for group 1
rho2	Correlation for group 2
alpha	One-sided significance level
powerCount	Power for the count endpoint alone
powerCont	Power for the continuous endpoint alone
powerCoprimary	Power for both co-primary endpoints

## References

Homma, G., & Yoshida, T. (2024). Sample size calculation in clinical trials with two co-primary endpoints including overdispersed count and continuous outcomes. *Pharmaceutical Statistics*, 23(1), 46-59.

## Examples

```
# Power calculation with moderate correlation
power2MixedCountContinuous(
  n1 = 300,
  n2 = 300,
  r1 = 1.0,
  r2 = 1.25,
  nu = 0.8,
  t = 1,
  mu1 = -50,
  mu2 = 0,
  sd = 250,
  rho1 = 0.5,
  rho2 = 0.5,
  alpha = 0.025
)
```

```
# Power calculation with no correlation
power2MixedCountContinuous(
  n1 = 350,
  n2 = 350,
  r1 = 1.0,
  r2 = 1.5,
  nu = 1,
  t = 1,
  mu1 = -40,
  mu2 = 0,
  sd = 200,
  rho1 = 0,
  rho2 = 0,
  alpha = 0.025
)
```

```
# Unbalanced design
power2MixedCountContinuous(
  n1 = 400,
```

```
n2 = 200,  
r1 = 1,  
r2 = 1.25,  
nu = 1,  
t = 1,  
mu1 = -50,  
mu2 = 0,  
sd = 250,  
rho1 = 0.6,  
rho2 = 0.6,  
alpha = 0.025  
)
```

---

print.twoCoprimary      *Print Method for twoCoprimary Objects*

---

### Description

Provides a clean, formatted display of sample size and power calculation results from the twoCoprimary package.

### Usage

```
## S3 method for class 'twoCoprimary'  
print(x, ...)
```

### Arguments

x	An object of class "twoCoprimary"
...	Additional arguments (currently unused)

### Details

This print method provides a formatted output that displays key parameters and results in an easy-to-read format. The specific format adapts to the type of calculation (sample size vs power) and the type of endpoints involved.

### Value

Invisibly returns the original object

---

```
print.twoCoprimary_table
    Print Method for twoCoprimary_table Objects
```

---

**Description**

Provides a clean display of design comparison tables

**Usage**

```
## S3 method for class 'twoCoprimary_table'
print(x, ...)
```

**Arguments**

x	An object of class "twoCoprimary_table"
...	Additional arguments passed to print.data.frame

**Value**

Invisibly returns the original object

---

```
rr1Binary    Rejection Region for Two-Arm Trials with a Single Binary Endpoint
```

---

**Description**

Calculates the rejection region for two-arm trials with a single binary endpoint using various exact statistical tests, as described in Homma and Yoshida (2025).

**Usage**

```
rr1Binary(n1, n2, alpha, Test)
```

**Arguments**

n1	Sample size for group 1 (test group)
n2	Sample size for group 2 (control group)
alpha	One-sided significance level (typically 0.025)
Test	Type of statistical test. One of: <ul style="list-style-type: none"> <li>• "Chisq": One-sided Pearson chi-squared test</li> <li>• "Fisher": Fisher exact test</li> <li>• "Fisher-midP": Fisher mid-p test</li> <li>• "Z-pool": Z-pooled exact unconditional test</li> <li>• "Boschloo": Boschloo exact unconditional test</li> </ul>

## Details

This function computes the rejection region for five different one-sided tests:

**Chi-squared test:** Uses the asymptotic normal approximation of the chi-squared statistic.

**Fisher exact test:** Uses the hypergeometric distribution to calculate exact p-values conditional on the total number of successes.

**Fisher mid-p test:** Modification of Fisher's exact test that adds half the probability of the observed outcome to reduce conservatism.

**Z-pooled test:** Exact unconditional test that maximizes p-values over all possible values of the nuisance parameter (common success probability under  $H_0$ ).

**Boschloo test:** Exact unconditional test similar to Z-pooled but based on Fisher's exact p-values, maximizing over the nuisance parameter.

## Value

A logical matrix of dimensions  $(n_1+1) \times (n_2+1)$ , where TRUE indicates rejection of the null hypothesis. Rows correspond to the number of responders in group 1 (0 to  $n_1$ ), and columns correspond to the number of responders in group 2 (0 to  $n_2$ ).

## References

Homma, G., & Yoshida, T. (2025). Exact power and sample size in clinical trials with two co-primary binary endpoints. *Statistical Methods in Medical Research*, 34(1), 1-19.

## Examples

```
# Simple example with small sample sizes
n1 <- 5
n2 <- 5
alpha <- 0.025
RR <- rr1Binary(n1, n2, alpha, Test = 'Chisq')
print(dim(RR)) # Should be (6, 6)

# Fisher exact test
RR_fisher <- rr1Binary(n1 = 10, n2 = 10, alpha = 0.025, Test = 'Fisher')

# More computationally intensive: Boschloo test
n1 <- 20
n2 <- 10
alpha <- 0.025
RR <- rr1Binary(n1, n2, alpha, Test = 'Boschloo')
print(RR)
```

---

 ss1BinaryApprox

*Sample Size Calculation for a Single Binary Endpoint*


---

## Description

Calculates the required sample size for a two-arm superiority trial with a single binary endpoint using various statistical testing methods.

## Usage

```
ss1BinaryApprox(p1, p2, r, alpha, beta, Test = "AN")
```

## Arguments

p1	True probability of responders in group 1 ( $0 < p1 < 1$ )
p2	True probability of responders in group 2 ( $0 < p2 < 1$ )
r	Allocation ratio of group 1 to group 2 (group 1:group 2 = r:1, where $r > 0$ )
alpha	One-sided significance level (typically 0.025)
beta	Target type II error rate (typically 0.1 or 0.2)
Test	Statistical testing method. One of: <ul style="list-style-type: none"> <li>• "AN": Asymptotic normal method without continuity correction (default)</li> <li>• "ANc": Asymptotic normal method with continuity correction</li> <li>• "AS": Arcsine transformation without continuity correction</li> <li>• "ASc": Arcsine transformation with continuity correction</li> <li>• "Fisher": Fisher's exact test with iterative sample size determination</li> </ul>

## Details

This function implements sample size calculations for single binary endpoint trials using five different methods.

**Important:** This function is designed for a **single binary endpoint**. For co-primary endpoints, use [ss2BinaryApprox](#) (for approximate methods) or [ss2BinaryExact](#) (for exact methods).

### Notation:

- $r = n1/n2$ : allocation ratio (group 1 to group 2)
- $kappa = 1/r = n2/n1$ : inverse allocation ratio
- p1, p2: response probabilities
- $theta1 = 1 - p1$ ,  $theta2 = 1 - p2$ : non-response probabilities
- $delta = p1 - p2$ : treatment effect

**AN (Asymptotic Normal) Method:** Uses the standard normal approximation with pooled variance under  $H_0$ :

$$n_2 = \left\lceil \frac{(1 + \kappa)}{(\pi_1 - \pi_2)^2} \left( z_{1-\alpha} \sqrt{\bar{\pi}(1 - \bar{\pi})} + z_{1-\beta} \sqrt{\kappa\pi_1\theta_1 + \pi_2\theta_2} \right)^2 / \kappa \right\rceil$$

where  $\bar{\pi} = (r\pi_1 + \pi_2)/(1 + r)$  is the pooled proportion.

**ANc Method:** Adds continuity correction to the AN method. Uses iterative calculation because the correction term depends on sample size. Converges when the difference between successive iterations is less than or equal to 1.

**AS (Arcsine) Method:** Uses the variance-stabilizing arcsine transformation:

$$n_2 = \left\lceil \frac{(z_{1-\alpha} + z_{1-\beta})^2}{4(\sin^{-1} \sqrt{\pi_1} - \sin^{-1} \sqrt{\pi_2})^2} \times \frac{1 + \kappa}{\kappa} \right\rceil$$

**ASc Method:** Applies continuity correction to the arcsine method. Uses iterative procedure with convergence criterion.

**Fisher Method:** Fisher's exact test does not have a closed-form sample size formula. This method:

1. Starts with the AN method's sample size as initial value
2. Incrementally increases  $n_2$  by 1
3. Calculates exact power using hypergeometric distribution
4. Stops when power is greater than or equal to  $1 - \beta$

Note: Due to the saw-tooth nature of exact power (power does not increase monotonically with sample size), a sequential search approach is used. The incremental approach ensures the minimum sample size that achieves the target power.

## Value

A data frame with the following columns:

p1	Probability of responders in group 1
p2	Probability of responders in group 2
r	Allocation ratio
alpha	One-sided significance level
beta	Type II error rate
Test	Testing method used
n1	Required sample size for group 1
n2	Required sample size for group 2
N	Total sample size ( $n_1 + n_2$ )

## References

Sozu, T., Sugimoto, T., & Hamasaki, T. (2010). Sample size determination in clinical trials with multiple co-primary binary endpoints. *Statistics in Medicine*, 29(21), 2169-2179.

**Examples**

```
# Balanced design with 1:1 allocation (AN method)
ss1BinaryApprox(p1 = 0.6, p2 = 0.4, r = 1, alpha = 0.025, beta = 0.1, Test = "AN")

# Unbalanced design with 2:1 allocation (ANc method)
ss1BinaryApprox(p1 = 0.5, p2 = 0.3, r = 2, alpha = 0.025, beta = 0.2, Test = "ANc")

# Arcsine transformation method
ss1BinaryApprox(p1 = 0.55, p2 = 0.35, r = 1, alpha = 0.025, beta = 0.1, Test = "AS")

# Arcsine with continuity correction
ss1BinaryApprox(p1 = 0.65, p2 = 0.45, r = 1, alpha = 0.025, beta = 0.1, Test = "ASc")

# Fisher's exact test
ss1BinaryApprox(p1 = 0.6, p2 = 0.4, r = 2, alpha = 0.025, beta = 0.1, Test = "Fisher")
```

---

ss1Continuous

*Sample Size Calculation for a Single Continuous Endpoint*


---

**Description**

Calculates the required sample size for a two-arm superiority trial with a single continuous endpoint using the standard formula for normally distributed outcomes.

**Usage**

```
ss1Continuous(delta, sd, r, alpha, beta)
```

**Arguments**

delta	Mean difference between treatment groups (treatment effect)
sd	Common standard deviation for the continuous endpoint
r	Allocation ratio of group 1 to group 2 (group 1:group 2 = r:1, where r > 0)
alpha	One-sided significance level (typically 0.025 or 0.05)
beta	Target type II error rate (typically 0.1 or 0.2)

**Details**

The required sample size for group 2 is calculated using the standard formula:

$$n_2 = \left\lceil \frac{(1 + 1/r)\sigma^2(z_\alpha + z_\beta)^2}{\delta^2} \right\rceil$$

where  $z_\alpha$  and  $z_\beta$  are the quantiles of the standard normal distribution corresponding to the one-sided significance level  $\alpha$  and type II error rate  $\beta$ , respectively. The sample size for group 1 is  $n_1 = \lceil r \times n_2 \rceil$ .

**Value**

A data frame with the following columns:

delta	Mean difference (treatment effect)
sd	Common standard deviation
r	Allocation ratio
alpha	One-sided significance level
beta	Type II error rate
n1	Required sample size for group 1
n2	Required sample size for group 2
N	Total sample size (n1 + n2)

**Examples**

```
# Balanced design with 1:1 allocation
ss1Continuous(delta = 0.4, sd = 1, r = 1, alpha = 0.025, beta = 0.1)

# Unbalanced design with 2:1 allocation
ss1Continuous(delta = 0.5, sd = 1.2, r = 2, alpha = 0.025, beta = 0.2)

# Large treatment effect
ss1Continuous(delta = 0.8, sd = 1, r = 1, alpha = 0.025, beta = 0.1)
```

---

ss1Count	<i>Sample Size Calculation for a Single Count Endpoint (Negative Binomial)</i>
----------	--

---

**Description**

Calculates the required sample size for a two-arm superiority trial with a single overdispersed count endpoint following a negative binomial distribution, as described in Homma and Yoshida (2024).

**Usage**

```
ss1Count(r1, r2, nu, t, r, alpha, beta)
```

**Arguments**

r1	Mean rate (events per unit time) for the treatment group
r2	Mean rate (events per unit time) for the control group
nu	Common dispersion parameter for the negative binomial distribution (nu > 0)
t	Common follow-up time period
r	Allocation ratio (treatment:control = r:1, where r > 0)
alpha	One-sided significance level (typically 0.025 or 0.05)
beta	Target type II error rate (typically 0.1 or 0.2)

**Details**

The test statistic for the negative binomial rate ratio is:

$$Z_1 = \frac{\hat{\beta}_1}{\sqrt{\text{Var}(\hat{\beta}_1)}}$$

where  $\hat{\beta}_1 = \log(\bar{Y}_1) - \log(\bar{Y}_2)$  and the variance is:

$$\text{Var}(\hat{\beta}_1) = \frac{1}{n_2} \left[ \frac{1}{t} \left( \frac{1}{r_2} + \frac{1}{r \cdot r_1} \right) + \frac{1+r}{\nu \cdot r} \right]$$

This is equation (8) in Homma and Yoshida (2024).

**Value**

A data frame with the following columns:

r1	Mean rate for treatment group
r2	Mean rate for control group
nu	Dispersion parameter
t	Follow-up time
r	Allocation ratio
alpha	One-sided significance level
beta	Type II error rate
n1	Required sample size for treatment group
n2	Required sample size for control group
N	Total sample size (n2 + n1)

**References**

Homma, G., & Yoshida, T. (2024). Sample size calculation in clinical trials with two co-primary endpoints including overdispersed count and continuous outcomes. *Pharmaceutical Statistics*, 23(1), 46-59.

**Examples**

```
# Sample size for count endpoint with nu = 0.8
ss1Count(r1 = 1.0, r2 = 1.25, nu = 0.8, t = 1, r = 1,
         alpha = 0.025, beta = 0.1)

# Unbalanced design with 2:1 allocation
ss1Count(r1 = 1.0, r2 = 1.5, nu = 1.0, t = 1, r = 2,
         alpha = 0.025, beta = 0.2)

# Higher dispersion
ss1Count(r1 = 1.5, r2 = 2.0, nu = 3.0, t = 1, r = 1,
         alpha = 0.025, beta = 0.1)
```

---

ss2BinaryApprox	<i>Sample Size Calculation for Two Co-Primary Binary Endpoints (Asymptotic Approximation)</i>
-----------------	---

---

### Description

Calculates the required sample size for a two-arm superiority trial with two co-primary binary endpoints using asymptotic normal approximation or arcsine transformation, as described in Sozu et al. (2010).

### Usage

```
ss2BinaryApprox(p11, p12, p21, p22, rho1, rho2, r, alpha, beta, Test)
```

### Arguments

p11	True probability of responders in group 1 for the first outcome ( $0 < p11 < 1$ )
p12	True probability of responders in group 1 for the second outcome ( $0 < p12 < 1$ )
p21	True probability of responders in group 2 for the first outcome ( $0 < p21 < 1$ )
p22	True probability of responders in group 2 for the second outcome ( $0 < p22 < 1$ )
rho1	Correlation between the two outcomes for group 1
rho2	Correlation between the two outcomes for group 2
r	Allocation ratio of group 1 to group 2 (group 1:group 2 = r:1, where $r > 0$ )
alpha	One-sided significance level (typically 0.025 or 0.05)
beta	Target type II error rate (typically 0.1 or 0.2)
Test	Statistical testing method. One of: <ul style="list-style-type: none"> <li>"AN": Asymptotic normal method without continuity correction</li> <li>"ANc": Asymptotic normal method with continuity correction</li> <li>"AS": Arcsine method without continuity correction</li> <li>"ASc": Arcsine method with continuity correction</li> </ul>

### Details

This function uses a sequential search algorithm (Homma and Yoshida 2025, Algorithm 1) to find the minimum sample size:

**Step 1:** Initialize with sample sizes from single endpoint formulas.

**Step 2:** Use sequential search:

- Calculate power at initial sample size
- If power  $\geq$  target: decrease  $n_2$  until power  $<$  target, then add 1 back
- If power  $<$  target: increase  $n_2$  until power  $\geq$  target

**Step 3:** Return final sample sizes.

The asymptotic normal (AN) and arcsine (AS) methods use normal approximation with or without continuity correction. For small sample sizes or extreme probabilities, consider using exact methods via [ss2BinaryExact](#).

**Value**

A data frame with the following columns:

p11, p12, p21, p22	Response probabilities
rho1, rho2	Correlations
r	Allocation ratio
alpha	One-sided significance level
beta	Type II error rate
Test	Testing method used
n1	Required sample size for group 1
n2	Required sample size for group 2
N	Total sample size (n1 + n2)

**References**

Sozu, T., Sugimoto, T., & Hamasaki, T. (2010). Sample size determination in clinical trials with multiple co-primary binary endpoints. *Statistics in Medicine*, 29(21), 2169-2179.

Homma, G., & Yoshida, T. (2025). Exact power and sample size in clinical trials with two co-primary binary endpoints. *Statistical Methods in Medical Research*, 34(1), 1-19.

**Examples**

```
# Sample size calculation using asymptotic normal method
ss2BinaryApprox(
  p11 = 0.5,
  p12 = 0.4,
  p21 = 0.3,
  p22 = 0.2,
  rho1 = 0.5,
  rho2 = 0.5,
  r = 1,
  alpha = 0.025,
  beta = 0.2,
  Test = 'AN'
)

# With continuity correction
ss2BinaryApprox(
  p11 = 0.5,
  p12 = 0.4,
  p21 = 0.3,
  p22 = 0.2,
  rho1 = 0.5,
  rho2 = 0.5,
  r = 1,
  alpha = 0.025,
  beta = 0.2,
```

```

    Test = 'ANc'
  )

# Using arcsine transformation
ss2BinaryApprox(
  p11 = 0.5,
  p12 = 0.4,
  p21 = 0.3,
  p22 = 0.2,
  rho1 = 0.5,
  rho2 = 0.5,
  r = 1,
  alpha = 0.025,
  beta = 0.2,
  Test = 'AS'
)

```

---

ss2BinaryExact

*Exact Sample Size Calculation for Two Co-Primary Binary Endpoints*


---

### Description

Calculates the required sample size for a two-arm superiority trial with two co-primary binary endpoints using exact methods, as described in Homma and Yoshida (2025).

### Usage

```
ss2BinaryExact(p11, p12, p21, p22, rho1, rho2, r, alpha, beta, Test)
```

### Arguments

p11	True probability of responders in group 1 for the first outcome ( $0 < p11 < 1$ )
p12	True probability of responders in group 1 for the second outcome ( $0 < p12 < 1$ )
p21	True probability of responders in group 2 for the first outcome ( $0 < p21 < 1$ )
p22	True probability of responders in group 2 for the second outcome ( $0 < p22 < 1$ )
rho1	Correlation between the two outcomes for group 1
rho2	Correlation between the two outcomes for group 2
r	Allocation ratio of group 1 to group 2 (group 1:group 2 = r:1, where $r > 0$ )
alpha	One-sided significance level (typically 0.025 or 0.05)
beta	Target type II error rate (typically 0.1 or 0.2)
Test	Statistical testing method. One of: <ul style="list-style-type: none"> <li>"Chisq": One-sided Pearson chi-squared test</li> <li>"Fisher": Fisher exact test</li> <li>"Fisher-midP": Fisher mid-p test</li> <li>"Z-pool": Z-pooled exact unconditional test</li> <li>"Boschloo": Boschloo exact unconditional test</li> </ul>

## Details

This function uses a sequential search algorithm to find the minimum sample size that achieves the target power:

**Step 1:** Initialize with sample size from approximate method (AN). This provides a good starting point for the exact calculation.

**Step 2:** Use sequential search algorithm (Homma and Yoshida 2025, Algorithm 1):

- Calculate power at initial sample size
- If power  $\geq$  target: decrease  $n_2$  until power  $<$  target, then add 1 back
- If power  $<$  target: increase  $n_2$  until power  $\geq$  target

**Step 3:** Return final sample sizes.

Note: Due to the saw-tooth nature of exact power (power does not increase monotonically with sample size), this sequential search ensures the minimum sample size that achieves the target power.

## Value

A data frame with the following columns:

p11, p12, p21, p22	Response probabilities
rho1, rho2	Correlations
r	Allocation ratio
alpha	One-sided significance level
beta	Type II error rate
Test	Testing method used
n1	Required sample size for group 1
n2	Required sample size for group 2
N	Total sample size ( $n_1 + n_2$ )

## References

Homma, G., & Yoshida, T. (2025). Exact power and sample size in clinical trials with two co-primary binary endpoints. *Statistical Methods in Medical Research*, 34(1), 1-19.

## Examples

```
# Quick example with Chi-squared test (faster)
ss2BinaryExact(
  p11 = 0.6,
  p12 = 0.5,
  p21 = 0.4,
  p22 = 0.3,
  rho1 = 0.3,
  rho2 = 0.3,
  r = 1,
  alpha = 0.025,
```

```

    beta = 0.2,
    Test = "Chisq"
  )

# More computationally intensive example with Fisher test
ss2BinaryExact(
  p11 = 0.5,
  p12 = 0.4,
  p21 = 0.3,
  p22 = 0.2,
  rho1 = 0.5,
  rho2 = 0.5,
  r = 1,
  alpha = 0.025,
  beta = 0.2,
  Test = "Fisher"
)

```

---

ss2Continuous

*Sample Size Calculation for Two Co-Primary Continuous Endpoints  
(Approximate)*


---

### Description

Calculates the required sample size for a two-arm superiority trial with two co-primary continuous endpoints using sequential search algorithm.

### Usage

```

ss2Continuous(
  delta1,
  delta2,
  sd1,
  sd2,
  rho,
  r,
  alpha,
  beta,
  known_var = TRUE,
  nMC = 10000
)

```

### Arguments

delta1	Mean difference for the first endpoint
delta2	Mean difference for the second endpoint

sd1	Common standard deviation for the first endpoint
sd2	Common standard deviation for the second endpoint
rho	Common correlation between the two outcomes
r	Allocation ratio of group 1 to group 2 (group 1:group 2 = r:1, where r > 0)
alpha	One-sided significance level (typically 0.025 or 0.05)
beta	Target type II error rate (typically 0.1 or 0.2)
known_var	Logical value indicating whether variance is known (TRUE) or unknown (FALSE). If TRUE, power is calculated analytically; if FALSE, Monte Carlo simulation is used
nMC	Number of Monte Carlo simulations when known_var = FALSE (default is 10000)

### Details

This function uses a sequential search algorithm (Homma and Yoshida 2025, Algorithm 1) for both known and unknown variance cases:

**Step 1:** Initialize with sample sizes from single endpoint formulas.

**Step 2:** Use sequential search:

- Calculate power at initial sample size
- If power  $\geq$  target: decrease n2 until power < target, then add 1 back
- If power < target: increase n2 until power  $\geq$  target

**Step 3:** Return final sample sizes.

For known variance, the standardized test statistics are:

$$Z_k = \frac{\delta_k}{\sigma_k \sqrt{1/n_1 + 1/n_2}}$$

For unknown variance, t-statistics with  $\nu = n_1 + n_2 - 2$  degrees of freedom are used, and power is calculated using Monte Carlo simulation following Sozu et al. (2011).

### Value

A data frame with the following columns:

delta1, delta2	Mean differences
sd1, sd2	Standard deviations
rho	Correlation
r	Allocation ratio
alpha	One-sided significance level
beta	Type II error rate
known_var	Variance assumption
nMC	Number of Monte Carlo simulations (NA if known_var = TRUE)
n1	Required sample size for group 1
n2	Required sample size for group 2
N	Total sample size (n1 + n2)

## References

Sozu, T., Sugimoto, T., & Hamasaki, T. (2011). Sample size determination in superiority clinical trials with multiple co-primary correlated endpoints. *Journal of Biopharmaceutical Statistics*, 21(4), 650-668.

Homma, G., & Yoshida, T. (2025). Exact power and sample size in clinical trials with two co-primary binary endpoints. *Statistical Methods in Medical Research*, 34(1), 1-19.

## Examples

```
# Sample size calculation with known variance
ss2Continuous(
  delta1 = 0.2,
  delta2 = 0.2,
  sd1 = 1,
  sd2 = 1,
  rho = 0.5,
  r = 1,
  alpha = 0.025,
  beta = 0.1,
  known_var = TRUE
)

# Sample size calculation with unequal allocation
ss2Continuous(
  delta1 = 0.3,
  delta2 = 0.25,
  sd1 = 1,
  sd2 = 1,
  rho = 0.3,
  r = 2,
  alpha = 0.025,
  beta = 0.2,
  known_var = TRUE
)

# Sample size calculation with unknown variance (uses sequential search)
ss2Continuous(
  delta1 = 0.5,
  delta2 = 0.4,
  sd1 = 1,
  sd2 = 1,
  rho = 0.4,
  r = 1,
  alpha = 0.025,
  beta = 0.1,
  known_var = FALSE,
  nMC = 10000
)
```

---

 ss2MixedContinuousBinary

*Sample Size Calculation for Two Co-Primary Endpoints: One Continuous and One Binary*

---

## Description

Determines the sample size for a two-arm superiority trial with two co-primary endpoints where one is continuous and one is binary, to achieve a specified power at a given significance level.

## Usage

```
ss2MixedContinuousBinary(
  delta,
  sd,
  p1,
  p2,
  rho,
  r,
  alpha,
  beta,
  Test,
  nMC = 10000
)
```

## Arguments

delta	Mean difference for the continuous endpoint (group 1 - group 2)
sd	Common standard deviation for the continuous endpoint
p1	Probability of response in group 1 for the binary endpoint ( $0 < p1 < 1$ )
p2	Probability of response in group 2 for the binary endpoint ( $0 < p2 < 1$ )
rho	Biserial correlation between the latent continuous variable underlying the binary endpoint and the observed continuous endpoint
r	Allocation ratio $n1/n2$ where $n1$ is sample size for group 1
alpha	One-sided significance level (typically 0.025 or 0.05)
beta	Type II error rate (typically 0.1 or 0.2). Power = $1 - \text{beta}$
Test	Statistical testing method for the binary endpoint. One of: <ul style="list-style-type: none"> <li>• "AN": Asymptotic normal method without continuity correction</li> <li>• "ANc": Asymptotic normal method with continuity correction</li> <li>• "AS": Arcsine method without continuity correction</li> <li>• "ASc": Arcsine method with continuity correction</li> <li>• "Fisher": Fisher's exact test (uses sequential search)</li> </ul>
nMC	Number of Monte Carlo replications when Test = "Fisher" (default: 10000)

## Details

This function implements the sample size calculation for mixed continuous-binary co-primary endpoints following the methodology in Sozu et al. (2012).

The sequential search algorithm (Homma and Yoshida 2025, Algorithm 1) is used for all testing methods:

**Step 1:** Initialize with sample sizes from single endpoint formulas.

**Step 2:** Use sequential search:

- Calculate power at initial sample size
- If power  $\geq$  target: decrease  $n_2$  until power  $<$  target, then add 1 back
- If power  $<$  target: increase  $n_2$  until power  $\geq$  target

**Step 3:** Return final sample sizes.

**Biserial Correlation:** The biserial correlation  $\rho$  represents the correlation between the latent continuous variable underlying the binary endpoint and the observed continuous endpoint. This is not the same as the point-biserial correlation observed in the data.

## Value

A data frame with the following columns:

delta	Mean difference for continuous endpoint
sd	Standard deviation for continuous endpoint
p1	Response probability in group 1 for binary endpoint
p2	Response probability in group 2 for binary endpoint
rho	Biserial correlation
r	Allocation ratio
alpha	One-sided significance level
beta	Type II error rate
Test	Testing method used for binary endpoint
nMC	Number of Monte Carlo replications (NA if Test != "Fisher")
n1	Required sample size for group 1
n2	Required sample size for group 2
N	Total sample size ( $n_1 + n_2$ )

## References

Sozu, T., Sugimoto, T., & Hamasaki, T. (2012). Sample size determination in clinical trials with multiple co-primary endpoints including mixed continuous and binary variables. *Biometrical Journal*, 54(5), 716-729.

Homma, G., & Yoshida, T. (2025). Exact power and sample size in clinical trials with two co-primary binary endpoints. *Statistical Methods in Medical Research*, 34(1), 1-19.

**Examples**

```
# Sample size calculation using asymptotic normal method
ss2MixedContinuousBinary(
  delta = 0.5,
  sd = 1,
  p1 = 0.6,
  p2 = 0.4,
  rho = 0.5,
  r = 1,
  alpha = 0.025,
  beta = 0.1,
  Test = 'AN'
)

# With continuity correction
ss2MixedContinuousBinary(
  delta = 0.5,
  sd = 1,
  p1 = 0.6,
  p2 = 0.4,
  rho = 0.5,
  r = 1,
  alpha = 0.025,
  beta = 0.1,
  Test = 'ANc'
)

# Fisher's exact test (computationally intensive)
ss2MixedContinuousBinary(
  delta = 0.5,
  sd = 1,
  p1 = 0.6,
  p2 = 0.4,
  rho = 0.5,
  r = 1,
  alpha = 0.025,
  beta = 0.1,
  Test = 'Fisher',
  nMC = 5000
)
```

---

ss2MixedCountContinuous

*Sample Size Calculation for Two Co-Primary Endpoints: One Count  
and One Continuous*

---

**Description**

Determines the sample size for a two-arm superiority trial with two co-primary endpoints where one is a count (negative binomial) and one is continuous (normal), to achieve a specified power at a given significance level.

**Usage**

```
ss2MixedCountContinuous(
  r1,
  r2,
  nu,
  t,
  mu1,
  mu2,
  sd,
  r,
  rho1,
  rho2,
  alpha,
  beta
)
```

**Arguments**

r1	Mean count rate in group 1 for the count endpoint
r2	Mean count rate in group 2 for the count endpoint
nu	Dispersion parameter for the negative binomial distribution ( $\text{nu} > 0$ ). Smaller values indicate greater overdispersion
t	Follow-up time period
mu1	Mean for group 1 for the continuous endpoint
mu2	Mean for group 2 for the continuous endpoint
sd	Common standard deviation for the continuous endpoint
r	Allocation ratio $n_1/n_2$ where $n_1$ is sample size for group 1
rho1	Correlation between count and continuous endpoints in group 1
rho2	Correlation between count and continuous endpoints in group 2
alpha	One-sided significance level (typically 0.025 or 0.05)
beta	Type II error rate (typically 0.1 or 0.2). Power = $1 - \text{beta}$

**Details**

This function implements the sample size calculation for mixed count-continuous co-primary endpoints following the methodology in Homma and Yoshida (2024).

The sequential search algorithm (Homma and Yoshida 2025, Algorithm 1) is used:

**Step 1:** Initialize with sample sizes from single endpoint formulas.

**Step 2:** Use sequential search:

- Calculate power at initial sample size
- If power  $\geq$  target: decrease  $n_2$  until power  $<$  target, then add 1 back
- If power  $<$  target: increase  $n_2$  until power  $\geq$  target

**Step 3:** Return final sample sizes.

**Negative Binomial Distribution:** The count endpoint follows a negative binomial distribution  $NB(\lambda, \nu)$  where:

- $\lambda = r * t$  is the mean count
- $\nu$  is the dispersion parameter
- Variance =  $\lambda + \lambda^2 / \nu$

**Correlation:** The correlations  $\rho_1$  and  $\rho_2$  must satisfy feasibility constraints that depend on the parameters. Use `corrbound2MixedCountContinuous` to check valid correlation bounds.

## Value

A data frame with the following columns:

r1, r2	Count rates
nu	Dispersion parameter
t	Follow-up time
mu1, mu2	Means for continuous endpoint
sd	Standard deviation for continuous endpoint
r	Allocation ratio
rho1, rho2	Correlations
alpha	One-sided significance level
beta	Type II error rate
n1	Required sample size for group 1
n2	Required sample size for group 2
N	Total sample size ( $n_1 + n_2$ )

## References

- Homma, G., & Yoshida, T. (2024). Sample size calculation for count and continuous multiple co-primary endpoints. *Pharmaceutical Statistics*, 23(3), 372-388.
- Homma, G., & Yoshida, T. (2025). Exact power and sample size in clinical trials with two co-primary binary endpoints. *Statistical Methods in Medical Research*, 34(1), 1-19.

**Examples**

```
# Sample size calculation for count and continuous endpoints
ss2MixedCountContinuous(
  r1 = 1.0,
  r2 = 1.25,
  nu = 0.8,
  t = 1,
  mu1 = -50,
  mu2 = 0,
  sd = 250,
  r = 1,
  rho1 = 0.4,
  rho2 = 0.4,
  alpha = 0.025,
  beta = 0.2
)

# With different dispersion parameter (more overdispersion)
ss2MixedCountContinuous(
  r1 = 1.0,
  r2 = 1.25,
  nu = 0.5,
  t = 1,
  mu1 = -50,
  mu2 = 0,
  sd = 250,
  r = 1,
  rho1 = 0.4,
  rho2 = 0.4,
  alpha = 0.025,
  beta = 0.2
)
```

---

twoCoprimary2BinaryApprox

*Unified Interface for Two Co-Primary Binary Endpoints (Approximate Methods)*

---

**Description**

This function provides a unified interface for both power calculation and sample size determination for two co-primary binary endpoints using asymptotic normal approximation methods.

**Usage**

```
twoCoprimary2BinaryApprox(
  n1 = NULL,
  n2 = NULL,
```

```

    p11,
    p12,
    p21,
    p22,
    rho1,
    rho2,
    power = NULL,
    r = NULL,
    alpha = 0.025,
    Test = "AN"
)

```

### Arguments

n1	Sample size for group 1 (treatment group). If NULL, will be calculated.
n2	Sample size for group 2 (control group). If NULL, will be calculated.
p11	True response probability for endpoint 1 in group 1
p12	True response probability for endpoint 2 in group 1
p21	True response probability for endpoint 1 in group 2
p22	True response probability for endpoint 2 in group 2
rho1	Correlation between endpoints 1 and 2 in group 1
rho2	Correlation between endpoints 1 and 2 in group 2
power	Target power (1 - beta). If NULL, will be calculated.
r	Allocation ratio (n1/n2). Required when calculating sample size.
alpha	One-sided significance level (typically 0.025 or 0.05)
Test	Test method: "AN" (asymptotic normal), "ANc" (with continuity correction), "AS" (arcsine), or "ASc" (arcsine with continuity correction)

### Details

This function serves as a unified interface similar to `power.prop.test()`. The function determines the operation mode based on which parameters are NULL.

Exactly one of  $\{(n1, n2), (power, r)\}$  must be NULL.

### Value

An object of class "twoCoprimary" containing either:

- Power calculation results (when n1 and n2 are specified)
- Sample size calculation results (when power and r are specified)

**Examples**

```
# Calculate power given sample sizes
twoCoprimary2BinaryApprox(
  n1 = 200, n2 = 100,
  p11 = 0.5, p12 = 0.4,
  p21 = 0.3, p22 = 0.2,
  rho1 = 0.7, rho2 = 0.7,
  alpha = 0.025, Test = "AN"
)

# Calculate sample size given target power
twoCoprimary2BinaryApprox(
  p11 = 0.5, p12 = 0.4,
  p21 = 0.3, p22 = 0.2,
  rho1 = 0.7, rho2 = 0.7,
  power = 0.8, r = 1,
  alpha = 0.025, Test = "AN"
)
```

---

twoCoprimary2BinaryExact

*Unified Interface for Two Co-Primary Binary Endpoints (Exact Methods)*

---

**Description**

This function provides a unified interface for both power calculation and sample size determination for two co-primary binary endpoints using exact inference methods.

**Usage**

```
twoCoprimary2BinaryExact(
  n1 = NULL,
  n2 = NULL,
  p11,
  p12,
  p21,
  p22,
  rho1,
  rho2,
  power = NULL,
  r = NULL,
  alpha = 0.025,
  Test = "Fisher"
)
```

**Arguments**

n1	Sample size for group 1 (treatment group). If NULL, will be calculated.
n2	Sample size for group 2 (control group). If NULL, will be calculated.
p11	True response probability for endpoint 1 in group 1
p12	True response probability for endpoint 2 in group 1
p21	True response probability for endpoint 1 in group 2
p22	True response probability for endpoint 2 in group 2
rho1	Correlation between endpoints 1 and 2 in group 1
rho2	Correlation between endpoints 1 and 2 in group 2
power	Target power (1 - beta). If NULL, will be calculated.
r	Allocation ratio (n1/n2). Required when calculating sample size.
alpha	One-sided significance level (typically 0.025 or 0.05)
Test	Test method: "Fisher" (Fisher's exact test), "Chisq" (Chi-squared test), "Z-pooled" (Z-pooled exact unconditional test), or "Boschloo" (Boschloo's exact unconditional test)

**Details**

This function serves as a unified interface similar to `power.prop.test()`. The function determines the operation mode based on which parameters are NULL.

Exactly one of  $\{(n1, n2), (power, r)\}$  must be NULL.

Note: Exact methods are computationally intensive and may take considerable time, especially for large sample sizes.

**Value**

An object of class "twoCoprimary" containing either:

- Power calculation results (when n1 and n2 are specified)
- Sample size calculation results (when power and r are specified)

**Examples**

```
# Calculate power given sample sizes
twoCoprimary2BinaryExact(
  n1 = 50, n2 = 50,
  p11 = 0.5, p12 = 0.4,
  p21 = 0.3, p22 = 0.2,
  rho1 = 0.5, rho2 = 0.5,
  alpha = 0.025, Test = "Fisher"
)

# Calculate sample size given target power
twoCoprimary2BinaryExact(
  p11 = 0.5, p12 = 0.4,
  p21 = 0.3, p22 = 0.2,
```

```

rho1 = 0.5, rho2 = 0.5,
power = 0.8, r = 1,
alpha = 0.025, Test = "Chisq"
)

```

---

twoCoprimary2Continuous

*Unified Interface for Two Co-Primary Continuous Endpoints*

---

### Description

This function provides a unified interface for both power calculation and sample size determination for two co-primary continuous endpoints. Depending on which parameters are provided (sample sizes or power), the function automatically determines whether to calculate power or sample size.

### Usage

```

twoCoprimary2Continuous(
  n1 = NULL,
  n2 = NULL,
  delta1,
  delta2,
  sd1,
  sd2,
  rho,
  power = NULL,
  r = NULL,
  alpha = 0.025,
  known_var = TRUE,
  nMC = 10000
)

```

### Arguments

n1	Sample size for group 1 (treatment group). If NULL, will be calculated.
n2	Sample size for group 2 (control group). If NULL, will be calculated.
delta1	Mean difference for the first endpoint
delta2	Mean difference for the second endpoint
sd1	Common standard deviation for the first endpoint
sd2	Common standard deviation for the second endpoint
rho	Common correlation between the two outcomes
power	Target power (1 - beta). If NULL, will be calculated.
r	Allocation ratio (n1/n2). Required when calculating sample size.

alpha	One-sided significance level (typically 0.025 or 0.05)
known_var	Logical indicating whether variance is known (TRUE) or unknown (FALSE). Default is TRUE.
nMC	Number of Monte Carlo simulations when known_var = FALSE. Default is 10000.

### Details

This function serves as a unified interface similar to `power.prop.test()`. The function determines the operation mode based on which parameters are NULL:

- If `n1` and `n2` are provided and `power` is NULL: calculates power
- If `power` and `r` are provided and `n1/n2` are NULL: calculates sample size

Exactly one of  $\{(n1, n2), (power, r)\}$  must be NULL.

### Value

An object of class "twoCoprimary" containing either:

- Power calculation results (when `n1` and `n2` are specified)
- Sample size calculation results (when `power` and `r` are specified)

### Examples

```
# Calculate power given sample sizes
twoCoprimary2Continuous(
  n1 = 100, n2 = 100,
  delta1 = 0.5, delta2 = 0.5,
  sd1 = 1, sd2 = 1,
  rho = 0.3, alpha = 0.025,
  known_var = TRUE
)

# Calculate sample size given target power
twoCoprimary2Continuous(
  delta1 = 0.5, delta2 = 0.5,
  sd1 = 1, sd2 = 1,
  rho = 0.3, power = 0.8,
  r = 1, alpha = 0.025,
  known_var = TRUE
)
```

---

twoCoprimary2MixedContinuousBinary

*Unified Interface for Mixed Continuous and Binary Co-Primary Endpoints*

---

## Description

This function provides a unified interface for both power calculation and sample size determination for trials with one continuous and one binary co-primary endpoint.

## Usage

```
twoCoprimary2MixedContinuousBinary(
  n1 = NULL,
  n2 = NULL,
  delta,
  sd,
  p1,
  p2,
  rho,
  power = NULL,
  r = NULL,
  alpha = 0.025,
  Test = "AN",
  nMC = 10000
)
```

## Arguments

n1	Sample size for group 1 (treatment group). If NULL, will be calculated.
n2	Sample size for group 2 (control group). If NULL, will be calculated.
delta	Mean difference for the continuous endpoint
sd	Common standard deviation for the continuous endpoint
p1	True response probability for the binary endpoint in group 1
p2	True response probability for the binary endpoint in group 2
rho	Biserial correlation between the continuous endpoint and the latent continuous variable underlying the binary endpoint
power	Target power (1 - beta). If NULL, will be calculated.
r	Allocation ratio (n1/n2). Required when calculating sample size.
alpha	One-sided significance level (typically 0.025 or 0.05)
Test	Test method for the binary endpoint: "AN" (asymptotic normal), "ANc" (with continuity correction), "AS" (arcsine), "ASc" (arcsine with continuity correction), or "Fisher" (Fisher's exact test)
nMC	Number of Monte Carlo simulations when Test = "Fisher". Default is 10000.

## Details

This function serves as a unified interface similar to `power.prop.test()`. The function determines the operation mode based on which parameters are NULL.

Exactly one of  $\{(n1, n2), (power, r)\}$  must be NULL.

The biserial correlation  $\rho$  represents the correlation between the observed continuous endpoint and the latent continuous variable underlying the binary endpoint.

## Value

An object of class "twoCoprimary" containing either:

- Power calculation results (when  $n1$  and  $n2$  are specified)
- Sample size calculation results (when  $power$  and  $r$  are specified)

## Examples

```
# Calculate power given sample sizes
twoCoprimary2MixedContinuousBinary(
  n1 = 100, n2 = 100,
  delta = 0.5, sd = 1,
  p1 = 0.6, p2 = 0.4,
  rho = 0.5,
  alpha = 0.025, Test = "AN"
)

# Calculate sample size given target power
twoCoprimary2MixedContinuousBinary(
  delta = 0.5, sd = 1,
  p1 = 0.6, p2 = 0.4,
  rho = 0.5,
  power = 0.8, r = 1,
  alpha = 0.025, Test = "AN"
)
```

---

twoCoprimary2MixedCountContinuous

*Unified Interface for Mixed Count and Continuous Co-Primary Endpoints*

---

## Description

This function provides a unified interface for both power calculation and sample size determination for trials with one count endpoint (modeled by negative binomial distribution) and one continuous endpoint.

**Usage**

```
twoCoprimary2MixedCountContinuous(
  n1 = NULL,
  n2 = NULL,
  r1,
  r2,
  nu,
  t,
  mu1,
  mu2,
  sd,
  rho1,
  rho2,
  power = NULL,
  r = NULL,
  alpha = 0.025
)
```

**Arguments**

n1	Sample size for group 1 (treatment group). If NULL, will be calculated.
n2	Sample size for group 2 (control group). If NULL, will be calculated.
r1	Event rate per unit time for the count endpoint in group 1
r2	Event rate per unit time for the count endpoint in group 2
nu	Dispersion parameter for the negative binomial distribution ( $nu > 0$ ). When nu approaches infinity, the distribution converges to Poisson.
t	Follow-up period (time unit)
mu1	Mean for the continuous endpoint in group 1
mu2	Mean for the continuous endpoint in group 2
sd	Common standard deviation for the continuous endpoint
rho1	Correlation between count and continuous endpoints in group 1
rho2	Correlation between count and continuous endpoints in group 2
power	Target power ( $1 - \beta$ ). If NULL, will be calculated.
r	Allocation ratio ( $n1/n2$ ). Required when calculating sample size.
alpha	One-sided significance level (typically 0.025 or 0.05)

**Details**

This function serves as a unified interface similar to `power.prop.test()`. The function determines the operation mode based on which parameters are NULL.

Exactly one of  $\{(n1, n2), (power, r)\}$  must be NULL.

The count endpoint is modeled using a negative binomial distribution to account for overdispersion. The dispersion parameter nu controls the variance:  $Var = \lambda + \lambda^2/nu$ .

**Value**

An object of class "twoCoprimary" containing either:

- Power calculation results (when n1 and n2 are specified)
- Sample size calculation results (when power and r are specified)

**Examples**

```
# Calculate power given sample sizes
twoCoprimary2MixedCountContinuous(
  n1 = 300, n2 = 300,
  r1 = 1.0, r2 = 1.25,
  nu = 0.8, t = 1,
  mu1 = -50, mu2 = 0, sd = 250,
  rho1 = 0.5, rho2 = 0.5,
  alpha = 0.025
)

# Calculate sample size given target power
twoCoprimary2MixedCountContinuous(
  r1 = 1.0, r2 = 1.25,
  nu = 0.8, t = 1,
  mu1 = -50, mu2 = 0, sd = 250,
  rho1 = 0.5, rho2 = 0.5,
  power = 0.8, r = 1,
  alpha = 0.025
)
```

# Index

corrbound2Binary, [2](#), [12](#), [14](#)  
corrbound2MixedCountContinuous, [4](#), [22](#),  
[43](#)

dbibinom, [5](#)  
design\_table, [6](#)

plot.twoCoprimary, [9](#)  
power2BinaryApprox, [11](#)  
power2BinaryExact, [14](#)  
power2Continuous, [16](#)  
power2MixedContinuousBinary, [18](#)  
power2MixedCountContinuous, [21](#)  
print.twoCoprimary, [24](#)  
print.twoCoprimary\_table, [25](#)

rr1Binary, [25](#)

ss1BinaryApprox, [27](#)  
ss1Continuous, [29](#)  
ss1Count, [30](#)  
ss2BinaryApprox, [27](#), [32](#)  
ss2BinaryExact, [27](#), [32](#), [34](#)  
ss2Continuous, [36](#)  
ss2MixedContinuousBinary, [39](#)  
ss2MixedCountContinuous, [41](#)

twoCoprimary2BinaryApprox, [44](#)  
twoCoprimary2BinaryExact, [46](#)  
twoCoprimary2Continuous, [48](#)  
twoCoprimary2MixedContinuousBinary, [50](#)  
twoCoprimary2MixedCountContinuous, [51](#)